

Movement principles of UFO

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Abstract. In this article are the 5 tables for calculating the average translational velocities of all millisecond pulsars and others fast spinning bodies and shift the center of gravity due to the rotation. Corrections theory ideal spining circle for real bodies. Extreme values for neutron stars. Summary values for neutron stars. A new perspective on neutronization and nuclear fusion. Consent theory with the real Universe. From well-functioning theory for millisecond pulsars are derived estimates for raelisation new mode of transport on the principle rotation.

Keywords: stars: kinematics, pulsars: general, [stellar dynamics](#), , stars: neutron,

PACS number: 97.60.Gb, 97.60.Jd,

1.Introduction

The origin of millisecond pulsars is still unknown. The leading theory is that they begin life as longer period pulsars but are spun up or "recycled" through accretion. For this reason, millisecond pulsars are sometimes called recycled pulsars. The standard evolutionary model fails to explain the evolution of all millisecond pulsars, especially young millisecond pulsars with relatively high magnetic fields . Different millisecond pulsars must form by at least two distinct processes.^[30]But the nature of the other process remains a mystery.^[31] The proposed views are in the end of this manuscript.

In article:

Hobbs G., Lorimer D.R., Lyne A.G., Kramer M. : A statistical study of 233 pulsar proper motions, *MNRAS July 1, 2005 vol. 360 no. 3 974-992*

they write^[9]:

„Neutron stars are high-velocity objects....Many of the one-dimensional (1D) and two-dimensional (2D) speeds (referring to speeds measured in one coordinate only and the magnitudes of the transverse velocities, respectively) derived from these measurements are somewhat lower than earlier estimates

because of the use of the most recent electron density model in determining pulsar distances. The mean 1D speeds for the normal and recycled pulsars are 152(10) and 54(6) km s⁻¹, respectively. The corresponding mean 2D speeds are 246(22) and 87(13) km s⁻¹. PSRs B2011+38 and B2224+64 have the highest inferred 2D speeds of ~1600 km s⁻¹. We study the mean speeds for different subsamples and find that, in general, they agree with previous results. Applying a novel deconvolution technique to the sample of 73 pulsars with characteristic ages less than 3 Myr, we find the mean three-dimensional (3D) pulsar birth velocity to be 400(40) km s⁻¹. The distribution of velocities is well described by a Maxwellian distribution with 1D rms $\sigma = 265$ km s⁻¹. There is no evidence for a bimodal velocity distribution. The proper motions for PSRs B1830-08 and B2334+61 are consistent with their proposed associations with the supernova remnants W41 and G114.3+0.3, respectively.

Using the Taylor & Cordes (1993; hereafter TC93) model, Lyne & Lorimer (1994) found the mean pulsar birth velocity² to be 450(90) km s⁻¹. Recently, Cordes & Lazio (2002; hereafter CL02) provided an updated model which, on average, predicts somewhat smaller distances than TC93 which will clearly have an impact on the calculated velocities. Hereafter, we designate the velocities derived from the two models as V^{TC} and V^{CL}

1. The fastest moving pulsar with a well-defined distance is PSR B1133+16 which has a 2D speed of 640 km s⁻¹. However, according to the CL02 (and TC03) distance model PSRs B2011+38 and B2224+65 both have 2D speeds greater than 1500 km s⁻¹.
2. (iv) The CL02 distance model generally predicts smaller distances, and hence 2D speeds, than the TC03 model. The mean 1D and 2D speeds for pulsars with characteristic ages less than 3 Myr are 192(20) and 307(47) km s⁻¹. The observed 1D and 2D speeds clearly demonstrate that the 3D velocity vector is isotropic.
3. (v) Based on a deconvolution analysis of the new samples of 1D and 2D speeds of young pulsars, we find the mean 3D birth speed to be 400(40) km s⁻¹. The 3D speeds are well fit by a Maxwellian distribution with 1D rms $\sigma = 265$ km s⁻¹. We find no evidence for a bimodal velocity distribution.

The implications of these results for ‘kick’ mechanisms may be summarized by stating that the true space velocities of young pulsars range from a few tens to well over 1000 km s⁻¹ with a mean velocity of 400(40) km s⁻¹. According to [Lai et al. \(2001\)](#): (1) local convective instabilities in the collapsed stellar core can account for velocities up to ~100 km s⁻¹; (2) global asymmetric perturbations can create velocities over 1000 km s⁻¹; (3) asymmetric neutrino emission can provide kick velocities up to ~1000 km s⁻¹; (4) the electromagnetic rocket effect can accelerate pulsars up to similarly high velocities^[9].

In this manuscript the theoretical values calculated average speeds millisecond pulsar according to a new theory^[1]

2. Theory

$$E_{\text{mov}} = E_{\text{still}} \left(1 - \frac{v}{c} \cos \vartheta\right)^2 \quad (2.20)$$

where ϑ is the angle between the direction of the charge motion (the speed v) and the direction of propagation of intensity^[1].

3.Possible generalization of the theory for gravitational field, where the speed of propagation is finite and equals c .

For the sake of simplicity let us consider for instance the gravitational field of the Earth. Analogically to (2.20), for the intensity of the gravitational field one could write:

$$g_{\text{mov}} = g_{\text{still}} \left(1 - \frac{v}{c} \cos \vartheta\right)^2 \quad (3.1)$$

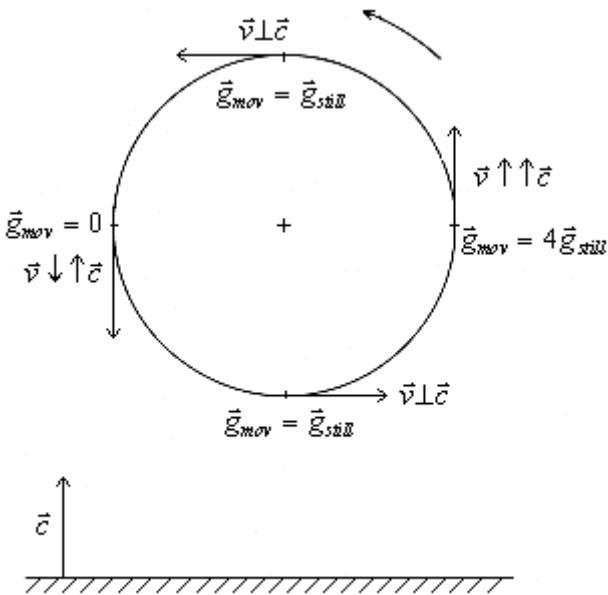


Fig. 3.1. The body is rotating at vertical level

Should we want to withdraw from the gravitational field of the Earth, it will be necessary to aim at $g_{\text{moving}} \rightarrow 0$.

Then the weight of bodies will be falling down $G = mg_{\text{moving}} \rightarrow 0$.

However, the mass of bodies remains unchanged. Individual material particles of the body will move in a prevailing measure in direction to the Earth at the highest possible speed (in ideal case $v \cos \theta \rightarrow (-c)$), but the center of gravity should at the same time move away from the Earth. This is possible only with the special rotation of body around the axis passing through the center of gravity, while the body rotates at vertical level (see fig.3.1).

c - the speed and direction of propagation of the gravitational waves of the Earth. The points moving at speed of c towards the Earth ($v \cos \theta = -c$) are of no weight. The points moving at the speed of c away from the Earth weight 4x more than is standstill (see fig.3.2).

In consequence of rotation, the center of gravity will be shifted to the part departing from the Earth. This means that the body should depart from the Earth as a consequence of rotation (since the shifted center of gravity is situated in the half emerging during the rotation, i. e. departing from the Earth).

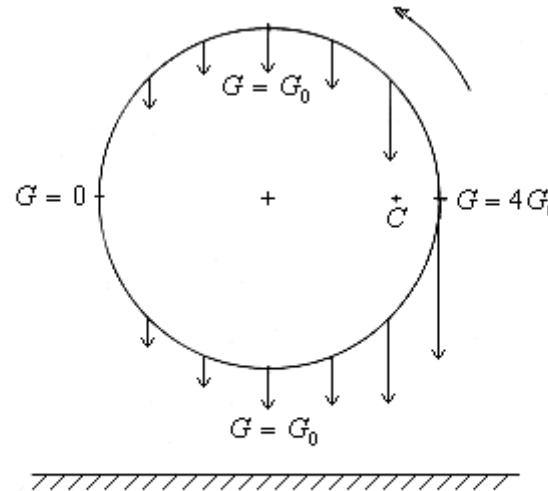


Fig. 3.2. The point moving at speed c away from the Earth
weight 4x more than standstill

For the sake of simplicity, let us consider the rotating body whose mass is evenly distributed on the circle with radius r .

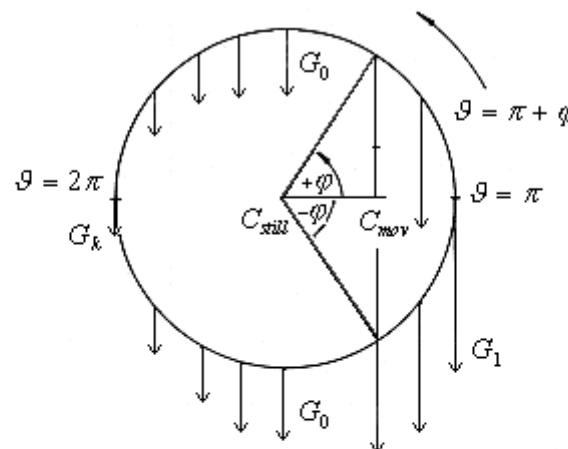


Fig. 3.3. Once it starts rotating at the circumference speed v
the center of gravity will be shifted in the distance r_c

In case such a body does not rotate, its center of gravity is in the center. Once it starts rotating at the circumference speed of v , the center of gravity will be shifted in the distance of r_c , which will be calculated as in fig.3.3. Each point of weight G_0 will, in result of rotation, weight

$$G_i = G_0 \left(1 - \frac{v}{c} \cos \vartheta\right)^2$$

There is a certain angle φ for which

$$\cos \varphi = \frac{r_c}{r} \quad (3.2)$$

The weight of points to the right from C_{mov} must be equal to the weight of points to the left from C_{mov} which will be written as follows:

$$\begin{aligned} & \int_{\pi-p}^{\pi} G_0 \left(1 - \frac{v}{c} \cos \vartheta\right)^2 d\vartheta + \int_{\pi}^{\pi+p} G_0 \left(1 - \frac{v}{c} \cos \vartheta\right)^2 d\vartheta = \\ &= \int_{\pi+p}^{2\pi} G_0 \left(1 - \frac{v}{c} \cos \vartheta\right)^2 d\vartheta + \int_0^{\pi-p} G_0 \left(1 - \frac{v}{c} \cos \vartheta\right)^2 d\vartheta \end{aligned} \quad (3.3)$$

Where from

$$\frac{v}{c} = \frac{-8 \sin \varphi + \sqrt{(64 \sin^2 \varphi + 8(\pi - 2\varphi)[\sin 2\varphi - (\pi - 2\varphi)])}}{2[\sin 2\varphi - (\pi - 2\varphi)]} \quad (3.4)$$

Substituting for φ we get the Table 1 which represents the dependency of $\frac{r_c}{r}$ on $\frac{v}{c}$, see fig. 3.4.

Table 1

| φ° | $\cos = \frac{r_c}{r}$ | v/c |
|-----------------|------------------------|----------------|
| 89.999999 | 0 | 0.000000000000 |
| 80 | 0.1736 | 0.0886197118 |
| 60 | 0.5 | 0.30472815857 |

| | | |
|--------|--------|----------------|
| 40 | 0.7660 | 0.765471182633 |
| 37 | 0.7986 | 0.927252176745 |
| 36 | 0.8090 | 1.00053925635 |
| 32.123 | 0.847 | 1.89550406058 |

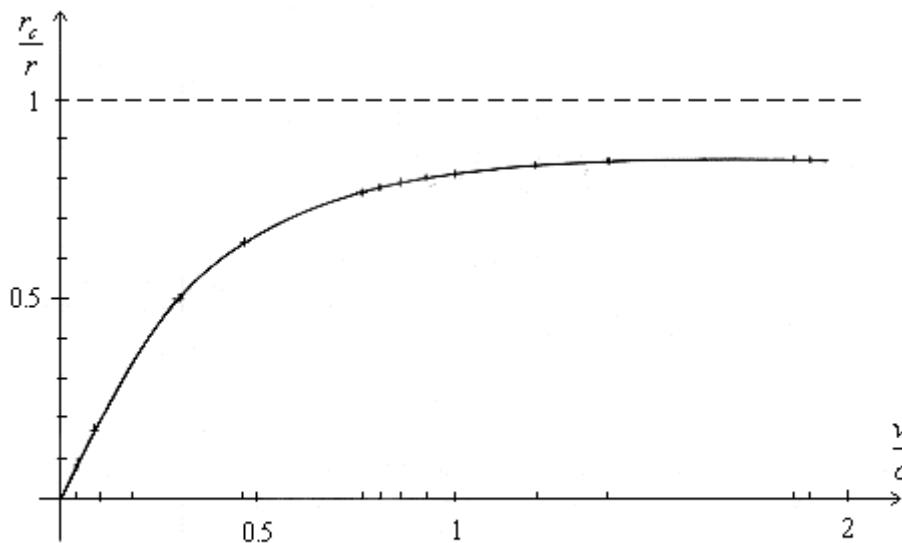


Fig. 3.4. The dependence of $\frac{r_c}{r}$ on $\frac{v}{c}$

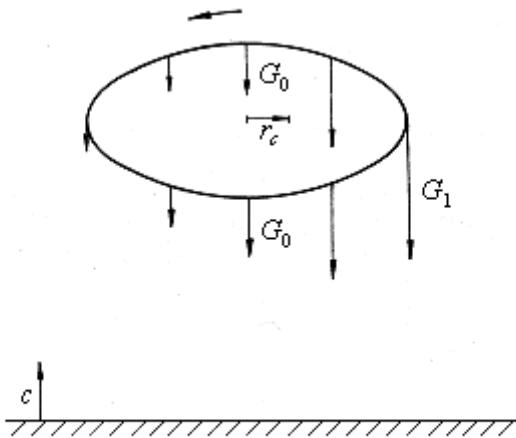


Fig. 3.7. The rotating "circle" may be getting off the Earth

Any inclination of the circle from the horizontal level when projected at the vertical level results in ellipse. The shift of center of gravity increases in line with the inclination of the „circle” from the horizontal to vertical level. It means that the more the rotating "circle" may be getting off the Earth (see fig. 3.7) . Conversely, if we want to stop the getting off the Earth, it is enough to level the "circle" into the horizontal level. It is evident that the highest speed of getting away from the Earth will be achieved in the rotation in vertical level. If the rotation level of the "circle" forms with the horizontal level an angle of $\epsilon^\circ = 45^\circ$, the "circle" acquires the average speed of getting off the Earth i. e. by deceleration of the rotating "circle" needs straightening more in the horizontal level. During acceleration it is necessary to swing out the rotating "circle" so that it rotates closer to the vertical level. The real rotating body will qualitatively behave in a way similar to our "circle".

Corrections for real bodies

I = mr² This is the calculation for an ideal circle **and** for an thin ring.

I = 0.4 mr² This is the calculation for an solid ball.

$$I_{\text{circle}} = mr^2, I_{\text{ball}} = 0.4 mr^2, I_{\text{UFO}} = 0.33 mr^2$$

For example, the coefficient is 0.33 for UFO : $I_{\text{UFO}} = 0.33 mr^2$

$$0.5 I_{\text{circle}} \omega_{\text{circle}}^2 = 0.5 I_{\text{UFO}} \omega_{\text{UFO}}^2$$

$$mr^2 \omega_{\text{circle}}^2 = 0.165 mr^2 \omega_{\text{UFO}}^2 \quad (r \omega_{\text{circle}} = v_{\text{rot circle}}, \quad r \omega_{\text{UFO}} = v_{\text{rot real UFO}})$$

$$\omega_{\text{circle}} = 0.165^{0.5} \omega_{\text{UFO}}, \quad \omega_{\text{circle}} = 0.406202 \omega_{\text{UFO}}$$

$$v_{\text{rot circl}}^2 = 0.165 v_{\text{rot real UFO}}^2, \quad v_{\text{rot circl}} = 0.406202 v_{\text{rot real UFO}}$$

$$v_{\text{rot}}/c = v_{\text{rot circl}}/c = 0.406202 v_{\text{rot real UFO}}/c$$

$$v_{\text{rot real UFO}}/c = 2,4618293361431 v_{\text{rot circl}}/c$$

$$v_{\text{rot real UFO}} = 2,4618293361431 v_{\text{rot circl}}$$

$$v_{\text{rot real UFO}} = 2,4618293361431 * 929379,137 \text{ m/s} = 2287,9728238659571865047 \text{ km/s}$$

$$\text{For } r = 20\text{m} \quad 2\pi r f = 2287972,8238659571865047 \text{ m/s}$$

$$f = 2287972,8238659571865047/2\pi r = 18207,109228909474326891959189485 \text{ Hz} = 18,2071 \text{ kHz}$$

Frequency of rotation UFO (for r = 20m) must therefore be 18.2 kHz, which is very difficult for the technical realization !

$$\text{average } v_{\text{transl UFO}} = v_{\text{climb}} \sin 45^\circ$$

$$v_{\text{climb}} = \text{average } v_{\text{transl UFO}} / \sin 45^\circ = 910/0,70710678118654752440084436210485 \text{ m/s} = 1286,934341 \text{ m/s}$$

$$v_{\text{climb}} = v_{\text{rot circl}} (\cos\phi)/(2\pi)$$

$$929379,137 \text{ m/s} = v_{\text{rot circl}} = v_{\text{climb}}(2\pi)/(\cos\phi) = 1286,934341 * (2\pi)/(\cos\phi) = 8086,0469474482265695689034019105 / (\cos\phi)$$

$$(\cos\varphi) = 8086,046947448 / 929379,137 = 0,0087004825324029482378717345813525$$

$$\varphi^\circ = 89,5014928^\circ, \cos 89,5014928^\circ = 0,008700482212408174946104980883774$$

$$(\cos\varphi)/(2\pi) = 0,0013847247513878707105418162046161 \quad 89,5014928 \quad 89,5014928$$

$$v_{climb} = v_{rot\ circle} (\cos\varphi)/(2\pi)$$

If the rotation level of the "circle" forms with the horizontal level an angle of ε° , $v_{transl} = v_{climb} \sin \varepsilon^\circ$.

For $\varepsilon^\circ = 90^\circ$ $v_{transl} = v_{climb}$.

For $\varepsilon^\circ = 0^\circ$ $v_{transl} = 0$ m/s.

For $\varepsilon^\circ = 45^\circ$ average $v_{transl} = v_{climb} \sin 45^\circ$

$$\text{average } v_{transl} = 0,70710678118654752440084436210485 v_{climb}.$$

For $\varepsilon^\circ = 10^\circ$ minimal $v_{transl} = 0,17364817766693034885171662676931 v_{climb}$.

For $\varepsilon^\circ = 30^\circ$ $v_{transl} = 0,5 v_{climb}$.

For $\varepsilon^\circ = 80^\circ$ maximal $v_{transl} = 0,98480775301220805936674302458952 v_{climb}$.

At each revolution, the center of gravity moves on:

For $r=0,5$ m shift the center of gravity

$$v_{rot\ circle}/c = 0,004352677280065730626445053141891$$

$$v_{rot\ circle} = 1304899,820671659786067842283081 \text{ m/s} = 1304,8998 \text{ km/s}$$

$$v_{\text{climb}} = v_{\text{rot circ}} (\cos \varphi) / (2 \pi) = 1806,9270797656411706493114000838 \text{ m/s}$$

$$v_{\text{climb}} = \text{average } v_{\text{transl UFO}} / \sin 45^\circ = 910/0,70710678118654752440084436210485 \text{ m/s} = 1286,934341 \text{ m/s}$$

$$\varphi^\circ = 89,5014928^\circ, \cos 89,5014928^\circ = 0,008700482212408174946104980883774$$

$$(\cos \varphi) / (2 \pi) = 0,0013847247513878707105418162046161$$

$$\cos 89,5014928^\circ = 0,008700482212408174946104980883774$$

$$\text{Whell of bicycle } r_c = 0,5 \text{m} * 1,7453292519943294883140751983588e-8 = 1,5207211500780928877615655880281e-10 \text{ m}$$

$$\text{Whell (car) } r_c = r \cos \varphi^\circ = 8,726 \text{ e-8m} = 0,08 \mu\text{m}$$

$$\text{Whell (aeroplane) } r_c = r \cos \varphi^\circ = 8,7267 \text{e-7m} = 0,87 \mu\text{m}$$

$$\text{Earth } r_c = r \cos \varphi^\circ = 11,19 \text{ m, see you Table 6 in this article.}$$

$$\text{The centers of gravity rises every second } f \quad r_c = f * r \quad \cos \varphi = \omega r \quad \cos \varphi / 2\pi = v_{\text{rot}} (\cos \varphi) / (2 \pi) = v_{\text{climb}}$$

$$v_{\text{rot circ}} = 0,6324555320336758663997787088865 \quad v_{\text{rot real ball}}, \quad v_{\text{rot}} / c, \quad v_{\text{rot}} \text{ (as a surface feet speed per seconde)}, v_{\text{climb}}, \quad v_{\text{transl}} = v_{\text{climb}} \sin \varepsilon^\circ$$

$$v_{\text{transl}} = v_{\text{climb}} \sin \varepsilon^\circ, \text{ average } v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 0,70710678118654752440084436210485 v_{\text{climb}}$$

$$v_{\text{rot}} = \omega r \quad \omega = v/r = 2\pi f, \quad \text{Neutron star } r_{\min} = 10 \text{ km}, r_{\max} = 15 \text{ km}$$

$$v_{\text{rot circ}} = 0,6324555320336758663997787088865 \quad v_{\text{rot real ball}} = 0,4^{0,5} \quad v_{\text{rot real ball}} = (2/5)^{0,5} \quad v_{\text{rot real ball}}$$

Table 2 Calculation v_{rot}

| | | | | |
|----------------|--|--|--|--|
| T | f | $v_{rot \ real \ ball} = 2 \pi r f$ $v_{rot \ real \ ball \ min} = 62831,853071795864769252867$ 66559 m^*f $v_{rot \ real \ ball \ max} = 94247,779607693797153879301$ 498385 m^*f | $v_{rot \ circl} = 0,6324555320336758663997787088865 \ v_{rot \ real \ ball}$ $v_{rot \ circl \ mim} = 39738,353063184404937734202681247 \text{ m}^*f$ $v_{rot \ circl \ mim \ /c} =$ $v_{rot \ circl \ max} = 59607,529594776607406601304021871 \text{ m}^*f$ $v_{rot \ circl \ max \ /c} =$ | |
| 0,001s | 1000 Hz | $v_{rot \ real \ ball \ min} = 62831853,071795864769252867665$ $59 \text{ m/s} = 62831,8531 \text{ km/s}$ $v_{rot \ real \ ball \ max} = 94247779,607693797153879301$ $49838 \text{ m/s} = 94247,7796 \text{ km/s}$ | $v_{rot \ circl} = 0,6324555320336758663997787088865 \ v_{rot \ real \ ball}$ $v_{rot \ circl \ mim} = 39738353,06318440493773420268124 \text{ m/s}$ $v_{rot \ circl \ mim \ /c} = 0,13255287784185819957396727665924$ $v_{rot \ circl \ max} = 59607529,59477660740660130402187 \text{ m/s}$ $v_{rot \ circl \ max \ /c} = 0,1988293167627872993609509149889$ | |
| 0,001557708 s | $f = 641,968841400$ 3137943696764 7338269 Hz | $v_{rot \ real \ ball \ min} = 40336091,919535538604958610$ $770171 \text{ m/s} = 40336,0919 \text{ km/s}$ $v_{rot \ real \ ball \ max} = 60504137,87930330790743791$ $6155253 \text{ m/s} = 60504,1379 \text{ km/s}$ | $v_{rot \ circl} = 0,6324555320336758663997787088865 \ v_{rot \ real \ ball}$ $v_{rot \ circl \ mim} = 25510784,475129103103877108342022 \text{ m/s}$ $39738,353063184404937734202681247 \text{ m}^*f$ $v_{rot \ circl \ mim \ /c} = 0,085094817412415035150340934667616$ $v_{rot \ circl \ max} = 38266176,71269365465581566251304 \text{ m/s}$ $59607,529594776607406601304021871 \text{ m}^*f$ $v_{rot \ circl \ max \ /c} = 0,12764222611862255272551140200145$ | |
| 0,0015578065 s | $f = 641,9282497537$ 402751882213869 3092 Hz | $v_{rot \ real \ ball \ min} = 40333541,471162088981688590$ $762452 \text{ m/s} = 40333,5415 \text{ km/s}$ $v_{rot \ real \ ball \ max} = 60500312,20674313347253288$ $6143675 \text{ m/s} = 60500,3122 \text{ km/s}$ | $v_{rot \ circl} = 0,6324555320336758663997787088865 \ v_{rot \ real \ ball}$ $v_{rot \ circl \ mim} = 25509171,429946148599157984435961 \text{ m/s}$ $39738,353063184404937734202681247 \text{ m}^*f$ $v_{rot \ circl \ mim \ /c} = 0,085089436872845375580322252256129$ $v_{rot \ circl \ max} = 38263757,144919222898736976653948 \text{ m/s}$ $59607,529594776607406601304021871 \text{ m}^*f$ $v_{rot \ circl \ max \ /c} = 0,12763415530926806337048337838422$ | |
| 0,01s | 100Hz | $v_{rot \ real \ ball \ min} = 6283185,3071795864769252867$ | $v_{rot \ circl} = 0,6324555320336758663997787088865 \ v_{rot \ real \ ball}$ $v_{rot \ circl \ mim} = 3973835,306318440493773420268124 \text{ m/s}$ | |

| | | | | |
|--|--|---|--|--|
| | | <p>66559 m/s = 6283,1853 km/s $v_{rot\ real\ ball\ max} = 9424777,9607693797153879301$ 49838 m/s = 9424,77796 km/s</p> | <p>39738,353063184404937734202681247 m*f $v_{rot\ circl\ mim\ /c} = 0,013255287784185819957396727665924$ $v_{rot\ circl\ max} = 5960752,959477660740660130402187\ m/s$ $59607,529594776607406601304021871\ m*f$ $v_{rot\ circl\ max\ /c} = 0,01988293167627872993609509149889$</p> | |
|--|--|---|--|--|

Table 3 Extreme values for neutron stars

| | | | |
|---|--|---|--|
| Neutron star $r_{min} = 10\text{km}$, $r_{max} = 15\text{km}$, | $v_{rot\ real\ ball\ min} = 62831,85307179586476925286766559 *f$ $v_{rot\ real\ ball\ max} = 94247,779607693797153879301498385 *f$ | $v_{rot\ circl} = 0,6324555320336758663997787088865 v_{rot\ real\ ball}$ $v_{rot\ circl\ mim\ /c}$ $v_{rot\ circl\ max\ /c}$ | $v_{climb} = v_{rot} (\cos\varphi)/(2\pi)$ $v_{transl} = v_{climb} \sin 45^\circ$ |
| T = 0,01s r _{min} = 10km f = 100Hz r _{max} = 15km | $v_{rot\ real\ ball\ min} = 6283185,307179586476925286766559$ m/s = 6283,1853 km/s $v_{rot\ real\ ball\ max} = 9424777,960769379715387930149838$ m/s = 9424,77796 km/s | $v_{rot\ circl\ mim} = 3973835,306318440493773420268124\ m/s$ $v_{rot\ circl\ mim\ /c} = 0,013255287784185819957396727665924$ $v_{rot\ circl\ max} = 5960752,959477660740660130402187\ m/s$ $v_{rot\ circl\ max\ /c} = 0,01988293167627872993609509149889$ | $v_{climb} = 16,5557\ km/s$ $v_{transl} = 11,707\ km/s$ $v_{climb} = 28,5411\ km/s$ $v_{transl} = 20,182\ km/s$ |
| T = 0,001s r _{min} = 10km f = 1000 Hz r _{max} = 15km | $v_{rot\ real\ ball\ min} = 62831853,07179586476925286766559$ m/s = 62831,8531 km/s $v_{rot\ real\ ball\ max} = 94247779,60769379715387930149838$ m/s = 94247,7796 km/s | $v_{rot\ circl\ mim} = 39738353,06318440493773420268124\ m/s$ $v_{rot\ circl\ mim\ /c} = 0,13255287784185819957396727665924$ $v_{rot\ circl\ max} = 59607529,59477660740660130402187\ m/s$ $v_{rot\ circl\ max\ /c} = 0,1988293167627872993609509149889$ | $v_{climb} = 1603,422\ km/s$ $v_{transl} = 1133,791\ km/s$ $v_{climb} = 3431,081\ km/s$ $v_{transl} = 2426,141\ km/s$ |

Table 4 Calculation of extreme velocities

| | | | |
|-------------------|-----------------|------------------------|--|
| Fast-spining body | φ° | $\cos = \frac{r_c}{r}$ | $v_{rot\ /c}, v_{rot\(Surface\ feet\ speed\ per\ seconde)}, v_{climb}, v_{transl} = v_{climb} \sin \varepsilon^\circ$ For $\varepsilon^\circ = 45^\circ, \sin 45^\circ = 0,70710678118654752440084436210485$ |
|-------------------|-----------------|------------------------|--|

| | | | |
|--|-----------|---|--|
| | | | $v_{rot\ circl} = 0,63245553203367586639977870888654 v_{rot\ real\ ball}$ |
| Neutron star T = 0,01s f = 100Hz if r_{min} = 10km, if r_{max} = 15km, | | $v_{rot\ real\ ball\ min} = 6283185,307179586476925286$ $766559 \text{ m/s} = 6283,1853 \text{ km/s}$ $v_{rot\ real\ ball\ max} = 9424777,960769379715387930$ $149838 \text{ m/s} = 9424,77796 \text{ km/s}$ | $v_{rot\ circl\ mim} = 3973835,306318440493773420268124 \text{ m/s}$ $v_{rot\ circl\ mim\ /c} = 0,013255287784185819957396727665924$ $v_{rot\ circl\ max} = 5960752,959477660740660130402187 \text{ m/s}$ $v_{rot\ circl\ max\ /c} = 0,01988293167627872993609509149889$ |
| Neutron star T = 0,01s f = 100Hz if r_{min} = 10km, | 88,5° | 0,026176948307873152610611 685554113 $(cos\phi)/(2\pi) =$ $=0,00416619071825903750912$ 89210347223 | $v_{rot\ circl\ mim\ /c} = 0,013255287784185819957396727665924$ $v_{climb} = v_{rot} (cos\phi)/(2\pi) = 16555,75576907394593683145206195 \text{ m/s} = 16,5557 \text{ km/s}$ $v_{transl} = v_{climb} sin \varepsilon^\circ = 16,5557 * sin 45^\circ = 11,707 \text{ km/s}$ |
| Neutron star T = 0,01s f = 100Hz if r_{max} = 15km | 88,276° | 0,030084936125369204818494 256092281 $(cos\phi)/(2\pi) =$ $=0,00478816629695644195366$ 90026585691 | $v_{rot\ circl\ max\ /c} = 0,01988293167627872993609509149889$ $v_{rot\ circl\ max} = 5960752,959477660740660130402187 \text{ m/s}$ $v_{climb} = v_{rot} (cos\phi)/(2\pi) = 28541,076425054303129252336458349 = 28,5411 \text{ km/s}$ $v_{transl} = v_{climb} sin \varepsilon^\circ = 28,5411 * sin 45^\circ = 20,182 \text{ km/s}$ |
| Neutron star T = 0,001s f = 1000Hz if r_{min} = 10km, | 75,3139° | 0,253523277221852020522635 11241255 $(cos\phi)/(2\pi) =$ $=0,04034948275871466336624$ 4713765043 | $v_{rot\ circl\ mim\ /c} = 0,13255287784185819957396727665924$ $v_{rot\ circl\ mim} = 39738353,06318440493773420268124 \text{ m/s}$ $v_{climb} = v_{rot} (cos\phi)/(2\pi) = 1603421,99178267517677875257418 \text{ m/s} = 1603,422 \text{ km/s}$ $v_{transl} = v_{climb} sin \varepsilon^\circ = 1603,422 * sin 45^\circ = 1133,791 \text{ km/s}$ |
| Neutron star T = 0,001s f = 1000Hz if r_{max} = 15km, | 68,79735° | 0,361667690813356360640756 53636272 $(cos\phi)/(2\pi) =$ $=0,05756120074957692910051$ 7270459969 | $v_{rot\ circl\ max\ /c} = 0,1988293167627872993609509149889$ $v_{rot\ circl\ max} = 59607529,59477660740660130402187 \text{ m/s}$ $v_{climb} = v_{rot} (cos\phi)/(2\pi) = 3431080,97719128423917370897567 \text{ m/s} = 3431,081 \text{ km/s}$ $v_{transl} = v_{climb} sin \varepsilon^\circ = 3431,081 * sin 45^\circ = 2426,141 \text{ km/s}$ |

Table 5 Summary values for neutron stars and UFO

| | | | |
|---|---|---|---|
| Fast-spining body | φ° | $\cos = \frac{r_c}{r}$ | $v_{rot}/c, v_{rot} \dots$ (Surface feet speed per seconde), $v_{climb}, v_{transl} = v_{climb} \sin \varepsilon^\circ$ For $\varepsilon^\circ = 45^\circ, \sin 45^\circ = 0,70710678118654752440084436210485$ $v_{rot \text{ circ}} = 0,63245553203367586639977870888654 v_{rot \text{ real ball}}$ |
| | 89° | 0,017452406437283512819418 978516316 $(\cos\varphi)/(2\pi) =$ $= 0,00277763675334248530714$ 35936608051 | 0.008727975640433114855122820917221639967376342934278782564200... $v_{rot}/c = 0,00872797564043311485512282091722163996737634$ $v_{rot} = 2616581,2706095676870135843746012 \text{ m/s} = 2616,58 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 7267,9123053527145610210251190232 \text{ m/s}$ $v_{climb} = 7,2679 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 5,139 \text{ km/s}$ |
| For ideal circle, radius r= 20m, the estimate revolutions per second is 46500 rps for ideal circle. | $\varphi^\circ = 89,647,$ for ideal circle | $\cos \varphi^\circ =$ $= 0,00616097328292273672097587883$ 82913 $\cos(\varphi)/(2\pi) =$ 9,805493522342557447282298947388 2e-4 $r_c = 20\text{m} * \cos \varphi^\circ = 0,019611\text{m} =$ 19,61 mm $f = 911,3 / r_c = 46468,8492 \text{ Hz}$ $= 46,469 \text{ kHz}$ for ideal circle | 0.003100075109296064888955362029486243072980381862864176346654... 0,003100075109296064888955362029486243072980 $v_{rot}/c = 0,003100075109296064888955362029486243072980$ $v_{rot} = 929379,13700048594278742503495378 \text{ m/s} = 929,379 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 911,302 \text{ m/s}$ for ideal circle |
| CNN's Larry King covered the news story in the days following the incident, and according to Steve Allen, a private pilot who witnessed the UFO, the object was travelling at a high rate of speed which supposedly reached 3,000 feet in the air. 3000 ft/s (910 m/s) | $\varphi^\circ =$ 89,5014928° \cos 89,501493° $= 0,00870047872188179202049297$ 8658747 $(\cos\varphi)/(2\pi) =$ 0,001384724751387870710541816 2046161 For $r = 20\text{m}$, $2\pi r f = 2287972,8238659571865$ 7513878707 | $\cos 89,501493^\circ$ $= 0,00870047872188179202049297$ 8658747 $(\cos\varphi)/(2\pi) =$ 0,001384724751387870710541816 2046161 For $r = 20\text{m}$, $2\pi r f = 2287972,8238659571865$ 7513878707 | 0.004352677280065730626445053141891053941816774602478425046573... $v_{rot \text{ circ}}/c = 0,004352677280065730626445053141891$ $v_{rot \text{ circ}} = 1304899,820671659786067842283081 \text{ m/s} = 1304,8998 \text{ km/s}$ $v_{climb} = v_{rot \text{ circ}} (\cos\varphi)/(2\pi) = 1806,9270797656411706493114000838 \text{ m/s}$ $v_{climb} = \text{average } v_{transl \text{ UFO}} / \sin 45^\circ \text{ evaluation}$ $= 910 / 0,70710678118654752440084436210485 \text{ m/s} = 1286,934341 \text{ m/s}$ |

| | | | |
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| velocity . For radius UFO r= 20m, the estimate revolutions per second is 18 207 rps for real UFO | 1054181620 46161 for real UFO | m/s f = 2287972,8238659571865047/2 $\pi r =$ =18207,1092289094743268919 59 Hz = 18,2071 kHz for real UFO | For r = 20m $2\pi r f = 2287972,8238659571865047 \text{ m/s}$ $f = 2287972,8238659571865047 / 2\pi r = 18207,109228909474326891959189485 \text{ Hz} = 18,2071 \text{ kHz}$ Frequency of rotation UFO (for r = 20m) must therefore be 18.2 kHz, which is very difficult for the technical realization ! for real UFO |
| ideal circle | 89° | 0,017452406437283512819418 978516316 $(\cos\phi)/(2\pi) =$ =0,00277763675334248530714 35936608051 | 0.008727975640433114855122820917221639967376342934278782564200... $v_{rot}/c = 0,00872797564043311485512282091722163996737634$ $v_{rot} = 2616581,2706095676870135843746012 \text{ m/s} = 2616,58 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 7267,9123053527145610210251190232 \text{ m/s}$ $v_{climb} = 7,2679 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 5,139 \text{ km/s}$ |
| Neutron star T = 0,01s f = 100Hz if $r_{min} = 10\text{km}$, if $r_{max} = 15\text{km}$, | | $v_{rot} \text{ real ball min} =$ 6283185,307179586476925286 766559 m/s = 6283,1853 km/s $v_{rot} \text{ real ball max} =$ 9424777,960769379715387930 149838 m/s = 9424,77796 km/s | $v_{rot \text{ circl mim}} = 3973835,306318440493773420268124 \text{ m/s}$ $v_{rot \text{ circl mim}} / c = 0,013255287784185819957396727665924$ $v_{rot \text{ circl max}} = 5960752,959477660740660130402187 \text{ m/s}$ $v_{rot \text{ circl max}} / c = 0,01988293167627872993609509149889$ |
| Neutron star T = 0,01s f = 100Hz if $r_{min} = 10\text{km}$, | 88,5° | 0,026176948307873152610611 685554113 $(\cos\phi)/(2\pi) =$ =0,00416619071825903750912 89210347223 | $v_{rot \text{ circl mim}} / c = 0,013255287784185819957396727665924$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 16555,75576907394593683145206195 \text{ m/s} = 16,5557 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 16,5557 * \sin 45^\circ = 11,707 \text{ km/s}$ |
| Neutron star T = 0,01s f = 100Hz if $r_{max} = 15\text{km}$ | 88,276° | 0,030084936125369204818494 256092281 $(\cos\phi)/(2\pi) =$ =0,00478816629695644195366 90026585691 | $v_{rot \text{ circl max}} / c = 0,01988293167627872993609509149889$ $v_{rot \text{ circl max}} = 5960752,959477660740660130402187 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 28541,076425054303129252336458349 = 28,5411 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 28,5411 * \sin 45^\circ = 20,182 \text{ km/s}$ |

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| | 88° | <p>0,034899496702500971645995 181625333 $(\cos\phi)/(2\pi) =$ $=0,03489949670250097164599$ 5181625333</p> | <p>0.01746393323768159232714415266011110344490850835546791955029... $v_{rot}/c = 0,0174639332376815923271441526601111034449085$ $v_{rot} = 5235555,4716724627851084856462686 \text{ m/s} = 5235,555 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 29080,512826926810132624625022137$ $v_{climb} = 29,0805 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 20,563 \text{ km/s}$</p> |
| | 87° | <p>0,052335956242943832722118 629609078 $(\cos\phi)/(2\pi) =$ $=0,00832952613750565012082$ 12572246279</p> | <p>0.026215883170382501294797482593212593293946245879689283725651... $v_{rot}/c = 0,0262158831703825012947974825932125932939$ $v_{rot} = 7859324,0542898028633555199187677 \text{ m/s} = 7859,324 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 65464,445133333788080522294679504 \text{ m/s}$ $v_{climb} = 65,4644 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 46,290 \text{ km/s}$</p> |
| | 86° | <p>0,069756473744125300775958 835194143 $(\cos\phi)/(2\pi) =$ $=0,01110208760903755340662$ 5303034432</p> | <p>0.034991892902415155481444102185912156157984547716105394726321... $v_{rot}/c = 0,03499189290241515548144410218591215615798$ $v_{rot} = 10490305,5832877935982343 \text{ m/s} = 10490,305583 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 116464,29163123687749909943954997 \text{ m/s}$ $v_{climb} = 116,4643 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 82,353 \text{ km/s}$</p> |
| | 85° | <p>0,087155742747658173558064 270837474 $(\cos\phi)/(2\pi) =$ $=0,01387126727713540624010$ 0330023427</p> | <p>0.043800116133369449162243192210722769426360805129544737054659... $v_{rot}/c = 0,04380011613336944916224319221072276942636$ $v_{rot} = 13130944,476308282986454927386402 \text{ m/s} = 13130,94 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 182142,84043209699937457117013179 \text{ m/s}$ $v_{climb} = 182,1428 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 128,794 \text{ km/s}$</p> |
| | 84° | <p>0,104528463267653471399834 1548025 $(\cos\phi)/(2\pi) =$ $=0,01663622162284666021377$ 9183752024</p> | <p>0.052648822689310354155112108480039421972918532818959442949836... $v_{rot}/c = 0,052648822689310354155112108480$ $v_{rot} = 15783719,964834521397011572266782 \text{ m/s} = 15783,72 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 262581,46336793659223664313126767 \text{ m/s}$ $v_{climb} = 262,5815 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 185,673 \text{ km/s}$</p> |
| | 83° | 0,121869343405147481112893 | 0.061546429419037647937207344430091477007293160179421032989100... |

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| | | 91923153 $(\cos\phi)/(2\pi) =$ $=0,01939610841429289749526$ 5636178703 | $v_{rot}/c = 0,061546429419037647937207344430091477$ $v_{rot} = 18451155,356656808469634019442322 \text{ m/s} = 18451,1554 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 357880,60966667659085697677318286 \text{ m/s}$ $v_{climb} = 357,8801 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 253,059 \text{ km/s}$ |
| | 82° | 0,139173100960065444112496 66330111 $(\cos\phi)/(2\pi) =$ $=0,02215008696322181987671$ 6065270417 | $0.070501532377454639860328775364899457683965648939309596758992...$ $v_{rot}/c = 0,070501532377454639860328775364899$ $v_{rot} = 21135827,684203710267232740254503 \text{ m/s} = 21135,8277 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 468160,42124478343051766323233437 \text{ m/s}$ $v_{climb} = 468,1604 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 331,039 \text{ km/s}$ |
| | 81° | 0,156434465040230869010105 31946717 $(\cos\phi)/(2\pi) =$ $=0,02489731838108903435484$ 1502930117 | $0.079522940598973804892724421154906775310115207065009741007176...$ $v_{rot}/c = 0,07952294059897380489272442115491$ $v_{rot} = 23840377,829554349246402280534385 \text{ m/s} = 23840,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 593561,47714787099719017703866065 \text{ m/s}$ $v_{climb} = 593,5615 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 419,711 \text{ km/s}$ |
| | 80° | 0,173648177666930348851716 62676931 $(\cos\phi)/(2\pi) =$ $=0,02763696583459163024882$ 2422362346 | $0.088619711790676205327338629151343180429432664295312521755495...$ $v_{rot}/c = 0,088619711790676205327338629151343$ $v_{rot} = 26567521,224978401077195542231529 \text{ m/s} = 26567,52 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 734245,6764045160471513309559811 \text{ m/s}$ $v_{climb} = 734,2457 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 519,19 \text{ km/s}$ |
| | 79° | 0,190808995376544812405140 48795839 $(\cos\phi)/(2\pi) =$ $=0,03036819480057570985313$ 6802396938 | $0.097801190307943836001438986564057051864042361089181828754607...$ $v_{rot}/c = 0,097801190307943836001438986564057$ $v_{rot} = 29320059,237744259520820285319051 \text{ m/s} = 29320,1 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 890397,27049623703270774917444291 \text{ m/s}$ $v_{climb} = 890,3973 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 629,606 \text{ km/s}$ |
| | 78° | 0,207911690817759337101742 | $0.107077047815431524891573511759277128251736618733142730990486...$ |

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| | | 28440513 $(\cos\phi)/(2\pi) =$ $=0,03309017332024022532211$ 9919992631 | $v_{rot}/c = 0,107077047815431524891573511759277$ $v_{rot} = 32100891,359971747177933006577923 \text{ m/s} = 32100,9 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1062224,0588356670713883098365441 \text{ m/s}$ $v_{climb} = 1062,2241 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 751,1059 \text{ km/s}$ |
| | 77° | 0,224951054343864998051107 2083428 $(\cos\phi)/(2\pi) =$ $=0,03580207225255968883501$ 2971259894 | $0.116457327084702694566820976533792415862359393619564735642381\dots$ $v_{rot}/c = 0,11645732708470269456682097653$ $v_{rot} = 34913028,338832995003410505800788 \text{ m/s} = 34913,028 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1249958,7631425628566313942052927 \text{ m/s}$ $v_{climb} = 1249,9588 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 883,854 \text{ km/s}$ |
| | 76° | 0,241921895599667722560442 37410035 $(\cos\phi)/(2\pi) =$ $=0,03850306552684856102902$ 332888899 | $0.125952489438069937853005346598758863645937973547879337155578\dots$ $v_{rot}/c = 0,12595248943806993785300534659875886$ $v_{rot} = 37759606,399858025444859715543756 \text{ m/s} = 37759,6 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1453860,5994817438412625883286501 \text{ m/s}$ $v_{climb} = 1453,8606 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1028,035 \text{ km/s}$ |
| Neutron star T = 0,001s f = 1000Hz if $r_{min} = 10\text{km}$, | 75,3139° | 0,253523277221852020522635 11241255 $(\cos\phi)/(2\pi) =$ $=0,04034948275871466336624$ 4713765043 | $v_{rot \text{ circl mim}}/c = 0,13255287784185819957396727665924$ $v_{rot \text{ circl mim}} = 39738353,06318440493773420268124 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1603421,99178267517677875257418 \text{ m/s} = 1603,422 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 1603,422 * \sin 45^\circ = 1133,791 \text{ km/s}$ |
| | 75° | 0,258819045102520762348898 83762405 $(\cos\phi)/(2\pi) =$ $=0,04119233039439038414103$ 3556846236 | $0.135573466417955067974877154676437407574635323374335527425142\dots$ $v_{rot}/c = 0,1355734664179550679748771546764374$ $v_{rot} = 40643902,737019205161745504448364 \text{ m/s} = 40643,9 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1674217,0700607627288041337014832 \text{ m/s}$ $v_{climb} = 1674,2171 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1183,850 \text{ km/s}$ |
| | 74° | 0,275637355816999185649971 5746113 $(\cos\phi)/(2\pi) =$ $=0,04386904767905501118641$ | $0.145331716344645600366723958716478652875612833791316124522891\dots$ $v_{rot}/c = 0,1453317163446456003667239587$ $v_{rot} = 43569352,46832007967282587699096 \text{ m/s} = 43569,4 \text{ km/s}$ |

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| | | 8070235537 | $v_{climb} = v_{rot} (\cos\phi)/(2 \pi) = 1911346,0007782867139710264828404 \text{ m/s}$ $v_{climb} = 1911,3460 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1351,526 \text{ km/s}$ |
| | 73° | 0,292371704722736728097468 69537714 (cosφ)/(2 π) = =0,04653240202682759073917 595903321 | $0.155239286525448971273996291386331459527282777439583192240504...$ $v_{rot}/c = 0,15523928652544897127399629138633$ $v_{rot} = 46539567,285630626651802739677493 \text{ m/s} = 46539,57 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2 \pi) = 2165597,8550895576071908397319786 \text{ m/s}$ $v_{climb} = 2165,5979 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1531,309 \text{ km/s}$ |
| | 72° | 0,309016994374947424102293 41718282 (cosφ)/(2 π) = =24373580,0491815821541732 98367374393707347 | $0.165308881998387903439479120026767317714472488380888307453906...$ $v_{rot}/c = 0,16530888199838790343947912$ $v_{rot} = 49558356,063528661609588099632272 \text{ m/s} = 49558,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2 \pi) = 2437358,3601642072962811913981365 \text{ m/s}$ $v_{climb} = 2437,358 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1723,47 \text{ km/s}$ |
| | 71° | 0,325568154457156668714008 93579472 (cosφ)/(2 π) = =0,05181578109516216042074 419853012 | $0.175553941838060411400905071631795321859383125932811547829616...$ $v_{rot}/c = 0,17555394183806041140090507163$ $v_{rot} = 52629747,735221168686368554848924 \text{ m/s} = 52629,75 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2 \pi) = 2727051,4877418265600993462429554 \text{ m/s}$ $v_{climb} = 2727,051 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1928,316 \text{ km/s}$ |
| $f\bar{i} = \pi/2.57142857 = 70^\circ$ | 70° | 0,342020143325668733044099 61468226 (cosφ)/(2 π) = =0,05443419644727869355514 9967932637 | $0.185988723815849022300232841377413792364386228762834947312944...$ $0,185988723815849022300232841377$ $v_{rot}/c = 0,185988723815849022300232841377$ $v_{rot} = 55758016,673036517752283617488735 \text{ m/s} = 55758,0167 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2 \pi) = 3035142,8330907105752273290514717 \text{ m/s}$ $v_{climb} = 3035,1428 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2146,17 \text{ km/s}$ |
| | 69° | 0,358367949545300273484137 78941347 | $0.196628401694940002866400053496715023486129018637067431889057...$ $0,19662840169494000286640005349671502348$ |

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| | | $(\cos\varphi)/(2\pi) =$ $=0,05703603061584148399652$ 4125304145 | $v_{rot}/c = 0,19662840169494000286640005349671502348$ $v_{rot} = 58947711,856737429621845117648897 \text{ m/s} = 58947,7119 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3362143,4981946780860871259822083 \text{ m/s}$ $v_{climb} = 3362,1435 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2377,3945 \text{ km/s}$ |
| Neutron star T = 0,001s f = 1000Hz if $r_{max} = 15\text{km}$, | 68,79735° | 0,361667690813356360640756 53636272 $(\cos\varphi)/(2\pi) =$ $=0,05756120074957692910051$ 7270459969 | $v_{rot \text{ circl max}}/c = 0,1988293167627872993609509149889$ $v_{rot \text{ circl max}} = 59607529,59477660740660130402187 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3431080,97719128423917370897567 \text{ m/s} = 3431,081 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 3431,081 * \sin 45^\circ = 2426,141 \text{ km/s}$ |
| | 68° | 0,374606593415912035414963 7745012 $(\cos\varphi)/(2\pi) =$ $=0,05962049105695825397267$ 5499032576 | 0.207489168225684948345812096464790187553290447685019956277866... 0,20748916822568494834581209646479018755 $v_{rot}/c = 0,20748916822568494834581209646479018755$ $v_{rot} = 62203687,750753589398194042405076 \text{ m/s} = 62203,6878 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3708614,4092536280648771502316964 \text{ m/s}$ $v_{climb} = 3708,6144 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 2622,3864 \text{ km/s}$ |

Table 6. Summary values for spinning bodies

| | | | |
|---|-----------------|--|---|
| Fast-spining body shift the center of gravity r_c | φ° | $\cos = \frac{r_c}{r}$ | $v_{rot}/c, v_{rot} \dots \text{(as a surface feet speed per seconde)}, v_{climb},$ $v_{transl} = v_{climb} \sin \varepsilon^\circ$ $v_{rot \text{ circl}} = 0,63245553203367586639977870888654 v_{rot \text{ real ball}}$ |
| Ideal rotational circle Ring | 89,9999999° | 1,745329251994329576037594 6128047e-9 $(\cos\varphi)/(2\pi) =$ $=2,777777777777777636751194545$ 85e-10 | $9.761385225306725890874493380900799198121733067437675948... \times 10^{-10}$ $v_{rot}/c = 9,761385225306725890874493380900799198121733067437675948e-10$ $v_{rot} = 0,29263896701795871587575041401647 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 8,1288601949432976590883019143158e-11 = 81,288 \text{ pm/s}$ |

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| | | | average $v_{transl} = v_{climb} \sin 45^\circ$ average $v_{transl} = 0,70710678118654752440084436210485 v_{climb}$ average $v_{transl} = 57,479 \text{ pm/s}$ |
| Whell (bicycle) $1,52 \text{ e-}10 \text{ m} = 15,2 \text{ nm}$ | $89,9999990^\circ$ | 1,745329251994329488314075 1983588e-8 $(\cos\varphi)/(2\pi) =$ $= 2,77777777777777763675119$ $45431892e-9$ | $9.7613808317299049249180305404146324619440633075069197168... \times 10^{-9}$ $v_{rot}/c = 9,761380831729904924918030540414632461944063307506919717e-9$ $V_{rot} = 2,9263883530183925895474818242298 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 8,1288565361622012249333433125122e-9 \text{ m/s} = 8,1288 \text{ nm/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 5,7479 \text{ nm/s}$ |
| Whell (car) $8,726 \text{ e-}8 \text{ m} = 0,08 \mu\text{m}$ | $89,999990^\circ$ | 1,745329251994320715962133 7555219e-7 $(\cos\varphi)/(2\pi) =$ $= 2,7777777777777776367511945$ $43190663e-8$ | $9.7613368966122347484031474668391648636828855964938683827... \times 10^{-8}$ 9,7613368966122347484031474668391648636828855964938683827e-8 $V_{rot} = 29,263751816014737280967911540201 \text{ m/s} = 105,34950 \text{ km/hod}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 8,1288199488929413083773297194773e-7 \text{ m/s} = 0,81288 \mu\text{m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 0,57479 \mu\text{m/s}$ |
| Whell (aeroplane) $8,7267 \text{ e-}7 \text{ m} = 0,87 \mu\text{m}$ | $89,99990^\circ$ | 1,745329251993443480767989 6054328e-6 $(\cos\varphi)/(2\pi) =$ $= 2,777777777776367511945432$ $1194272e-7$ | $9.7608976104847890620349116752508576980295402590013294089... \times 10^{-7}$ 9,7608976104847890620349116752508576980295402590013294089e-7 $v_{rot}/c = 9,7608976104847890620349116752508576980295402590013294089e-7$ $V_{rot} = 292,62 \text{ m/s} = 1053,45 \text{ km/hod}$ (X-15 ... 7274 km/h) $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 8,128333333292066134547234678673e-5 \text{ m/s} = 8,13 \mu\text{m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 5,7476 \mu\text{m/s}$ |
| Earth ellipsoid Equatorial radius (m) 6,378,136.6 $r = 6378136,6 \text{ m}$ $r_c = r \cos \varphi =$ $= 11,189834512772133613$ 470204759754 m $r_c = r \cos \varphi = 11,19 \text{ m}$ | $89,9998995^\circ$ | 1,754404964103800099463251 5019754e-6 $(\cos\varphi)/(2\pi) =$ $= 2,79222222220789841643832$ $9958426e-7$ | $9,8119569088313304220127204635308e-7$ $v_{rot \text{ circl}}/c = 9,8119569088313304220127204635308e-7$ $v_{rot \text{ circl}} = 0,63245553203367586639977870888654 v_{rot \text{ real ball}}$ $v_{rot \text{ real Earth}} = 465,1 \text{ m/s}$ $v_{rot \text{ circl}} = 294,15506794886264546253707750288 \text{ m/s}$ $v_{rot \text{ circl}}/c = 9,8119569088313304220127204635308e-7$ $\varphi = 89,9998995^\circ$ $v_{climb} = v_{rot \text{ circl}} (\cos\varphi)/(2\pi) = 8,2134631750568068915736381456455e-5 \text{ m/s}$ $v_{climb} = 82,13 \mu\text{m/s} \dots \text{for Earth } 90^\circ - 23,5^\circ = 66,5^\circ = \varepsilon^\circ$ |

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| delta =5,2e-7° 89,99990°- 5,2e-7° = =89,9998995° | | | average $v_{transl} = v_{climb} \sin 66,5^\circ = 7,5322391502770724600123489947654e-5$ m/s 86164,09205s* 7,5322391502770724600123489947654e-5 m/s = 6,49m /sidereal day 86636,55535s* 7,5322391502770724600123489947654e-5 m/s = 6,52567 m/ solar day bobbing the earth ? |
| Ideal rotational circle Ring | 89,99973° | 4,712388980367248827061315 7913787e-6 $(\cos\varphi)/(2\pi) =$ =7,4999999997224173762196 69997286e-7 | $2.6352184060155569617592175981283547210616639026595398148... \times 10^{-6}$ $2,635218406015556961759217598e-6$ $v/c = 2,635218406015556961759217598e-6$ $V_{rot} = 790,01860330624580780480784786128$ m/s $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 0,0005925139524774914014861956918711$ m/s = 0,6 mm/s average $v_{transl} = v_{climb} \sin 45^\circ = 0,419$ mm/s |
| | 89,99965° | 6,108652381942162146557295 4208824e-6 $(\cos\varphi)/(2\pi) =$ =9,7222222216175707466050 572589e-7 | $3.4158872970758352174178187128029451318728665406035564385... \times 10^{-6}$ $3,41588729707583521741781871280294e-6$ $v/c = 3,41588729707583521741781871280294e-6$ $V_{rot} = 1024,0572490413408522326522849093$ m/s = 1,024 km/s $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 9,9561121433955607351425226362662e-4$ m/s = 1 mm/s average $v_{transl} = v_{climb} \sin 45^\circ = 0,7$ mm/s |
| | 89,99962° | 6,632251157529830524054490 2314347e-6 $(\cos\varphi)/(2\pi) =$ =1,0555555554781714488032 42998124e-6 | $3.7086220454978589198666567767957543341452713169765480001... \times 10^{-6}$ $3,7086220454978589198666567767e-6$ $v/c = 3,7086220454978589198666567767e-6$ $V_{rot} = 1111,8169188127909593240500673293$ m/s = 1,1118 km/s $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 0,0011735845254048978722619425582462$ m/s = 1,2 mm/s average $v_{transl} = v_{climb} \sin 45^\circ = 0,83$ mm/s |
| | 89,999° | 1,745329251905719961354910 5685129e-5 $(\cos\varphi)/(2\pi) =$ =2,7777777763675119454533 84209593e-6 | $9.7565112494485723874039284755076672239420265097234762857... \times 10^{-6}$ $9,7565112494485723874039284755076672239420265097234762857e-6$ $v_{rot} = 2924,9284889768386606107519565284$ m/s = 2,92492848897683866 km/s $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 0,0081248013578565036084746857711894$ m/s = 8,12 mm/s average $v_{transl} = v_{climb} \sin 45^\circ = 5,74$ mm/s |
| | 89,993490770 812547128466 198039896° | 1,136074808435855958343986 6031333e-4 $(\cos\varphi)/(2\pi) =$ =1,80811921484744550186230 | 0.000056803740910557168763834837156865468959667862894610684386... $0,000056803740910557168763834837156$ $v_{rot}/c = 0,000056803740910557168763834837156$ $v_{rot} = 17029,333111171091773230867290259$ m/s = 17,029 km/s |

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| | | 84570103e-5 | $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 0,30791064414346280821312874528876 \text{ m/s} = 0,3 \text{ m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 0,2177257 \text{ m/s}$ |
| | 89,99° | 1,745329243133368033406726 8304459e-4 | |
| fí = π/2.00021982 = 89,990109187099245921 880726089396° | 89,990109187 099245921880 726089396° | 0,000172627249959502966309 0642578526 (cosφ) / (2 π) = = 2,74744801434150860091375933 38148e-5 | 0,000086313626694525180932082216331553815936524555367552768417... 0,00008631362669452518093208221633 $v_{rot} = 25876,174305646119134523658592727 \text{ m/s} = 25,876 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 0,7109344371480219508707619867285 \text{ m/s} = 0,71 \text{ m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 0,503 \text{ m/s}$ |
| fí = π/2.0005 = 89,977505° | 89,977505° | 3,926118051496627900381389 5333483e-4 (cosφ) / (2 π) = = 6,24861095058008814787968024 59618e-5 | 0,000198144050724876985568508305538 0,000198144050724876985568508305538 $v_{rot}/c = 0,000198144050724876985568508305538$ $v_{rot} = 59402,092004887553251213632149364 \text{ m/s} = 59,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 3,7118056258910626829553518525213 \text{ m/s} = 3,71 \text{ m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2,625 \text{ m/s}$ |
| fí = π/2.0010 = 89,955022° | 89,955022° | 7,850141103348687162626247 6088787e-4 (cosφ) / (2 π) = = 1,24938876056680876701795543 16626e-4 | 0,000392453329037002152296678192401277332308823590163054030495... 0,000392453329037002152296678192401277 $v_{rot}/c = 0,000392453329037002152296678192401277$ $v_{rot} = 117654,54816228564818831150041468 \text{ m/s} = 117,654 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 14,699627010352597413371053434747 \text{ m/s} = 14,7 \text{ m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 10,394 \text{ m/s}$ |
| | 89,9° | 0,001745328365898308835778 20272085 (cosφ) / (2 π) = = 2,77777636751216022765858 52336932e-4 | 0,000934145490600104723459435805348369896155665977256115672053... 0,000934145490600104723459435805348369896155665977256115672053 $v_{rot} = 280049,77275662129010331452327416 \text{ m/s} = 280,05 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 77,791564049049341778880429184767 \text{ m/s} = 77,79 \text{ m/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 55,007 \text{ m/s}$ |
| For ideal circle, radius r= 20m, the estimate revolutions per second is 46500 rps | $\varphi^\circ = 89,647$, for ideal circle | $\cos \varphi^\circ =$ = 0,00616097328292273672097587883 82913 $\cos \varphi / (2 \pi) =$ 9,805493522342557447282298947388 2e-4 | 0,003100075109296064888955362029486243072980381862864176346654... 0,003100075109296064888955362029486243072980 $v_{rot}/c = 0,003100075109296064888955362029486243072980$ $v_{rot} = 929379,13700048594278742503495378 \text{ m/s} = 929,379 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi) / (2 \pi) = 911,302 \text{ m/s}$ |

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| for ideal circle. | | $r_c = 20m * \cos \varphi^\circ = 0,019611m = 19,61 \text{ mm}$ $f = 911,3 / r_c = 46468,8492 \text{ Hz} = 46,469 \text{ kHz}$ for ideal circle | for ideal circle |
| CNN's Larry King covered the news story in the days following the incident, and according to Steve Allen, a private pilot who witnessed the UFO, the object was travelling at a high rate of speed which supposedly reached 3,000 feet in the air. 3000 ft/s (910 m/s) velocity . For radius UFO $r = 20m$, the estimate revolutions per second is 18 207 rps for real UFO | $\varphi^\circ = 89,5014928^\circ$ $\cos 89,501493^\circ = 0,00870047872188179202049297$ 8658747 $(\cos\varphi)/(2\pi) = 0,001384724751387870710541816$ 72188179202 04929786587 $(\cos\varphi)/(2\pi) = 0,001384724$ 7513878707 1054181620 46161 for real UFO | $\cos 89,501493^\circ = 0,00870047872188179202049297$ 8658747 $(\cos\varphi)/(2\pi) = 0,001384724751387870710541816$ 2046161 For $r = 20m$, $2\pi r f = 2287972,8238659571865$ m/s $f = 2287972,8238659571865047/2$ $\pi r = 18207,1092289094743268919$ $59 \text{ Hz} = 18,2071 \text{ kHz}$ for real UFO | $0.004352677280065730626445053141891053941816774602478425046573\dots$ $v_{\text{rot circle}}/c = 0,004352677280065730626445053141891$ $v_{\text{rot circle}} = 1304899,820671659786067842283081 \text{ m/s} = 1304,8998 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot circle}} (\cos\varphi)/(2\pi) = 1806,9270797656411706493114000838 \text{ m/s}$ $v_{\text{climb}} = \text{average } v_{\text{transl UFO}} / \sin 45^\circ \text{ evaluation}$ $= 910 / 0,70710678118654752440084436210485 \text{ m/s} = 1286,934341 \text{ m/s}$ For $r = 20m$ $2\pi r f = 2287972,8238659571865047 \text{ m/s}$ $f = 2287972,8238659571865047/2\pi r = 18207,109228909474326891959189485 \text{ Hz} = 18,2071 \text{ kHz}$ Frequency of rotation UFO (for $r = 20m$) must therefore be 18.2 kHz, which is very difficult for the technical realization ! for real UFO |
| Neutron star T = 0,01s | 89° | $0,017452406437283512819418$ 978516316 $(\cos\varphi)/(2\pi) = 0,00277763675334248530714$ 35936608051 | $0.008727975640433114855122820917221639967376342934278782564200\dots$ $v_{\text{rot}}/c = 0,00872797564043311485512282091722163996737634$ $v_{\text{rot}} = 2616581,2706095676870135843746012 \text{ m/s} = 2616,58 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\varphi)/(2\pi) = 7267,9123053527145610210251190232 \text{ m/s}$ $v_{\text{climb}} = 7,2679 \text{ km/s}$ average $v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 5,139 \text{ km/s}$ |
| | 88,5° | 0,026176948307873152610611 | $v_{\text{rot circle min}}/c = 0,013255287784185819957396727665924$ |

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| f = 100Hz r_{min} = 10km, | | 685554113 (cosφ)/(2 π) = =0,00416619071825903750912 89210347223 | v_{climb} = v_{rot} (cosφ)/(2 π) = 16555,75576907394593683145206195 m/s = 16,5557 km/s average v_{transl} = v_{climb} sin ε° = 16,5557 * sin 45° = 11,707 km/s |
| Neutron star T = 0,01s f = 100Hz r_{max} = 15km | 88,276° | 0,030084936125369204818494 256092281 (cosφ)/(2 π) = =0,00478816629695644195366 90026585691 | v_{rot circl max} /c = 0,01988293167627872993609509149889 v_{rot circl max} = 5960752,959477660740660130402187 m/s v_{climb} = v_{rot} (cosφ)/(2 π) = 28541,076425054303129252336458349 = 28,5411 km/s average v_{transl} = v_{climb} sin ε° = 28,5411 * sin 45° = 20,182 km/s |
| | 88° | 0,034899496702500971645995 181625333 (cosφ)/(2 π) = =0,03489949670250097164599 5181625333 | 0.01746393323768159232714415266011110344490850835546791955029... v_{rot}/c = 0,0174639332376815923271441526601111034449085 v_{rot} = 5235555,4716724627851084856462686 m/s = 5235,555 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 29080,512826926810132624625022137 v_{climb} = 29,0805 km/s average v_{transl} = v_{climb} sin 45° = 20,563 km/s |
| | 87° | 0,052335956242943832722118 629609078 (cosφ)/(2 π) = =0,00832952613750565012082 12572246279 | 0.026215883170382501294797482593212593293946245879689283725651... v_{rot}/c = 0,0262158831703825012947974825932125932939 v_{rot} = 7859324,0542898028633555199187677 m/s = 7859,324 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 65464,44513333788080522294679504 m/s v_{climb} = 65,4644 km/s average v_{transl} = v_{climb} sin 45° = 46,290 km/s |
| | 86° | 0,069756473744125300775958 835194143 (cosφ)/(2 π) = =0,01110208760903755340662 5303034432 | 0.034991892902415155481444102185912156157984547716105394726321... v_{rot}/c = 0,03499189290241515548144410218591215615798 v_{rot} = 10490305,5832877935982343 m/s = 10490,305583 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 116464,29163123687749909943954997 m/s v_{climb} = 116,4643 km/s average v_{transl} = v_{climb} sin 45° = 82,353 km/s |
| | 85° | 0,087155742747658173558064 270837474 (cosφ)/(2 π) = =0,01387126727713540624010 0330023427 | 0.043800116133369449162243192210722769426360805129544737054659... v_{rot}/c = 0,04380011613336944916224319221072276942636 v_{rot} = 13130944,476308282986454927386402 m/s = 13130,94 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 182142,84043209699937457117013179 m/s |

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| | | | $v_{climb} = 182,1428 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 128,794 \text{ km/s}$ |
| | 84° | 0,104528463267653471399834 1548025 $(\cos\phi)/(2\pi) =$ =0,01663622162284666021377 9183752024 | 0.052648822689310354155112108480039421972918532818959442949836... $v_{rot}/c = 0,052648822689310354155112108480$ $v_{rot} = 15783719,964834521397011572266782 \text{ m/s} = 15783,72 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 262581,46336793659223664313126767 \text{ m/s}$ $v_{climb} = 262,5815 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 185,673 \text{ km/s}$ |
| | 83° | 0,121869343405147481112893 91923153 $(\cos\phi)/(2\pi) =$ =0,01939610841429289749526 5636178703 | 0.061546429419037647937207344430091477007293160179421032989100... $v_{rot}/c = 0,061546429419037647937207344430091477$ $v_{rot} = 18451155,356656808469634019442322 \text{ m/s} = 18451,1554 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 357880,60966667659085697677318286 \text{ m/s}$ $v_{climb} = 357,8801 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 253,059 \text{ km/s}$ |
| | 82° | 0,139173100960065444112496 66330111 $(\cos\phi)/(2\pi) =$ =0,02215008696322181987671 6065270417 | 0.070501532377454639860328775364899457683965648939309596758992... $v_{rot}/c = 0,070501532377454639860328775364899$ $v_{rot} = 21135827,684203710267232740254503 \text{ m/s} = 21135,8277 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 468160,42124478343051766323233437 \text{ m/s}$ $v_{climb} = 468,1604 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 331,039 \text{ km/s}$ |
| | 81° | 0,156434465040230869010105 31946717 $(\cos\phi)/(2\pi) =$ =0,02489731838108903435484 1502930117 | 0.079522940598973804892724421154906775310115207065009741007176... $v_{rot}/c = 0,07952294059897380489272442115491$ $v_{rot} = 23840377,829554349246402280534385 \text{ m/s} = 23840,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 593561,47714787099719017703866065 \text{ m/s}$ $v_{climb} = 593,5615 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 419,711 \text{ km/s}$ |
| | 80° | 0,173648177666930348851716 62676931 $(\cos\phi)/(2\pi) =$ =0,02763696583459163024882 | 0.088619711790676205327338629151343180429432664295312521755495... $v_{rot}/c = 0,088619711790676205327338629151343$ $v_{rot} = 26567521,224978401077195542231529 \text{ m/s} = 26567,52 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 734245,6764045160471513309559811 \text{ m/s}$ |

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| | | 2422362346 | v_{climb} =734,2457 km/s average v _{transl} = v _{climb} sin 45° =519,19 km/s |
| | 79° | 0,190808995376544812405140 48795839 (cosφ)/(2 π) = =0,03036819480057570985313 6802396938 | 0.097801190307943836001438986564057051864042361089181828754607... v_{rot}/c = 0,097801190307943836001438986564057 v_{rot} =29320059,237744259520820285319051 m/s=29320,1 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 890397,27049623703270774917444291 m/s v_{climb} =890,3973 km/s average v_{transl} = v_{climb} sin 45° =629,606 km/s |
| | 78° | 0,207911690817759337101742 28440513 (cosφ)/(2 π) = =0,03309017332024022532211 9919992631 | 0.107077047815431524891573511759277128251736618733142730990486... v_{rot}/c = 0,107077047815431524891573511759277 v_{rot} =32100891,359971747177933006577923 m/s=32100,9 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 1062224,0588356670713883098365441 m/s v_{climb} = 1062,2241 km/s average v_{transl} = v_{climb} sin 45° =751,1059 km/s |
| | 77° | 0,224951054343864998051107 2083428 (cosφ)/(2 π) = =0,03580207225255968883501 2971259894 | 0.116457327084702694566820976533792415862359393619564735642381... v_{rot}/c = 0,11645732708470269456682097653 v_{rot} =34913028,338832995003410505800788 m/s=34913,028 km/s v_{climb} = v_{rot} (cosφ)/(2 π) =1249958,7631425628566313942052927 m/s v_{climb} =1249,9588 km/s average v_{transl} = v_{climb} sin 45° =883,854 km/s |
| | 76° | 0,241921895599667722560442 37410035 (cosφ)/(2 π) = =0,03850306552684856102902 332888899 | 0.125952489438069937853005346598758863645937973547879337155578... v_{rot}/c = 0,12595248943806993785300534659875886 v_{rot}=37759606,399858025444859715543756 m/s=37759,6 km/s v_{climb} = v_{rot} (cosφ)/(2 π) = 1453860,5994817438412625883286501 m/s v_{climb} =1453,8606 km/s average v_{transl} = v_{climb} sin 45° =1028,035 km/s |
| Neutron star T = 0,001s f = 1000Hz r_{min} = 10km, | 75,3139° | 0,253523277221852020522635 11241255 (cosφ)/(2 π) = =0,04034948275871466336624 4713765043 | v_{rot} circl mim /c = 0,13255287784185819957396727665924 v_{rot} circl mim =39738353,06318440493773420268124 m/s v_{climb} = v_{rot} (cosφ)/(2 π) =1603421,99178267517677875257418 m/s =1603,422 km/s average v_{transl} = v_{climb} sin ε°= 1603,422*sin 45° = 1133,791 km/s |

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| | 75° | <p>0,258819045102520762348898 83762405 $(\cos\phi)/(2\pi) =$ $=0,04119233039439038414103$ 3556846236</p> | <p>0.135573466417955067974877154676437407574635323374335527425142... $v_{rot}/c = 0,1355734664179550679748771546764374$ $v_{rot} = 40643902,737019205161745504448364 \text{ m/s} = 40643,9 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1674217,0700607627288041337014832 \text{ m/s}$ $v_{climb} = 1674,2171 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1183,850 \text{ km/s}$</p> |
| | 74° | <p>0,275637355816999185649971 5746113 $(\cos\phi)/(2\pi) =$ $=0,04386904767905501118641$ 8070235537</p> | <p>0.145331716344645600366723958716478652875612833791316124522891... $v_{rot}/c = 0,1453317163446456003667239587$ $v_{rot} = 43569352,46832007967282587699096 \text{ m/s} = 43569,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 1911346,0007782867139710264828404 \text{ m/s}$ $v_{climb} = 1911,3460 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1351,526 \text{ km/s}$</p> |
| | 73° | <p>0,292371704722736728097468 69537714 $(\cos\phi)/(2\pi) =$ $=0,04653240202682759073917$ 595903321</p> | <p>0.155239286525448971273996291386331459527282777439583192240504... $v_{rot}/c = 0,15523928652544897127399629138633$ $v_{rot} = 46539567,285630626651802739677493 \text{ m/s} = 46539,57 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 2165597,8550895576071908397319786 \text{ m/s}$ $v_{climb} = 2165,5979 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1531,309 \text{ km/s}$</p> |
| | 72° | <p>0,309016994374947424102293 41718282 $(\cos\phi)/(2\pi) =$ $=24373580,0491815821541732$ 98367374393707347</p> | <p>0.165308881998387903439479120026767317714472488380888307453906... $v_{rot}/c = 0,16530888199838790343947912$ $v_{rot} = 49558356,063528661609588099632272 \text{ m/s} = 49558,4 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 2437358,3601642072962811913981365 \text{ m/s}$ $v_{climb} = 2437,358 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1723,47 \text{ km/s}$</p> |
| | 71° | <p>0,325568154457156668714008 93579472 $(\cos\phi)/(2\pi) =$ $=0,05181578109516216042074$ 419853012</p> | <p>0.175553941838060411400905071631795321859383125932811547829616... $v_{rot}/c = 0,17555394183806041140090507163$ $v_{rot} = 52629747,735221168686368554848924 \text{ m/s} = 52629,75 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 2727051,4877418265600993462429554 \text{ m/s}$ $v_{climb} = 2727,051 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 1928,316 \text{ km/s}$</p> |
| $f_i = \pi/2.57142857 = 70^\circ$ | 70° | 0,342020143325668733044099 | |

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| | | 61468226 $(\cos\varphi)/(2\pi) =$ $=0,05443419644727869355514$ 9967932637 | 0.185988723815849022300232841377413792364386228762834947312944... 0,185988723815849022300232841377 $v_{rot}/c = 0,185988723815849022300232841377$ $v_{rot} = 55758016,673036517752283617488735 \text{ m/s} = 55758,0167 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3035142,8330907105752273290514717 \text{ m/s}$ $v_{climb} = 3035,1428 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2146,17 \text{ km/s}$ |
| | 69° | 0,358367949545300273484137 78941347 $(\cos\varphi)/(2\pi) =$ $=0,05703603061584148399652$ 4125304145 | 0.196628401694940002866400053496715023486129018637067431889057... 0,19662840169494000286640005349671502348 $v_{rot}/c = 0,19662840169494000286640005349671502348$ $v_{rot} = 58947711,856737429621845117648897 \text{ m/s} = 58947,7119 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3362143,4981946780860871259822083 \text{ m/s}$ $v_{climb} = 3362,1435 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2377,3945 \text{ km/s}$ |
| Neutron star T = 0,001s f = 1000Hz $r_{max} = 15 \text{ km}$, | 68,79735° | 0,361667690813356360640756 53636272 $(\cos\varphi)/(2\pi) =$ $=0,05756120074957692910051$ 7270459969 | $v_{rot \text{ circl max}}/c = 0,1988293167627872993609509149889$ $v_{rot \text{ circl max}} = 59607529,59477660740660130402187 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3431080,97719128423917370897567 \text{ m/s} = 3431,081 \text{ km/s}$ average $v_{transl} = v_{climb} \sin \varepsilon^\circ = 3431,081 * \sin 45^\circ = 2426,141 \text{ km/s}$ |
| | 68° | 0,374606593415912035414963 7745012 $(\cos\varphi)/(2\pi) =$ $=0,05962049105695825397267$ 5499032576 | 0.207489168225684948345812096464790187553290447685019956277866... 0,20748916822568494834581209646479018755 $v_{rot}/c = 0,20748916822568494834581209646479018755$ $v_{rot} = 62203687,750753589398194042405076 \text{ m/s} = 62203,6878 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 3708614,4092536280648771502316964 \text{ m/s}$ $v_{climb} = 3708,6144 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2622,3864 \text{ km/s}$ |
| | 67° | 0,390731128489273755062084 58888909 $(\cos\varphi)/(2\pi) =$ $=0,06218679051894240884617$ 8710373583 | 0.2185883601613040462624554668327952504297 0,2185883601613040462624554668327952504297 $v_{rot}/c = 0,2185883601613040462624554668327952504297$ $v_{rot} = 65531141,782946616514367237517103 \text{ m/s} = 65531,1418 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 4075171,3865232153936722749349765 \text{ m/s}$ |

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| | | | $v_{climb} = 4075,1714 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 2881,581 \text{ km/s}$ |
| | 66° | 0,406736643075800207753985 9903415 $(\cos\varphi)/(2\pi) =$ =0,06473414728211752712943 3089629846 | 0.229944593319214769283095123057183521523081091270580895879991... 0,2299445933192147692830951230571835215231 $v_{rot}/c = 0,2299445933192147692830951230571835215231$ $v_{rot} = 68935654,8330766684572208976359625 \text{ m/s} = 68935,6548 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 4462490,8330766684572208976359625 \text{ m/s}$ $v_{climb} = 4462,4908 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 3155,458 \text{ km/s}$ |
| $f_i = \pi/2.76923076923 =$ 65° | 65° | 0,422618261740699436186978 48964773 $(\cos\varphi)/(2\pi) =$ =0,06726178539693674661119 4276241963 | 0.241577919126684096973848691726649936311538644581330743459550... 0,241577919126684096973848691 $v_{rot}/c = 0,241577919126684096973848691$ $v_{rot} = 72423238,173513838821300460794972 \text{ m/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 4871316,3037781250609652002206478 \text{ m/s}$ $v_{climb} = 4871,316 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 3444,54 \text{ km/s}$ |
| $f_i = \pi/2.8125 = 64^\circ$ | 64° | 0,438371146789077417452734 54065827 $(\cos\varphi)/(2\pi) =$ =0,06976893492034451312285 0071727462 | 0.2535100032041404810619179228232 0.253510003204140481061917922823240953562766969137556959069307... 0,2535100032041404810619179228232 $v_{rot}/c = 0,2535100032041404810619179228232$ $v_{rot} = 76000386,988157150594854824277361 \text{ m/s} = 76000,387 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 5302466,053697734181244169499053 \text{ m/s}$ $v_{climb} = 5302,466 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 3749,41 \text{ km/s}$ |
| 180/ 2,81690140845 = 63,90000000001° | 63,9° | 0,439939169855915140833045 76528102 $(\cos\varphi)/(2\pi) =$ =0,07001849354231385018391 3679461913 | 0.254720530502096569804559171822028443558904964570508421300898... 0,254720530502096569804559171822 $v_{rot}/c = 0,254720530502096569804559171822$ $v_{rot} = 76363293,942287504815077373726962 \text{ m/s} = 76363,294 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 5346842,8037678720104498302946058 \text{ m/s}$ $v_{climb} = 5346,8428 \text{ km/s}$ |

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| | | | average $v_{transl} = v_{climb} \sin 45^\circ = 3780,789$ km/s |
| $f_1 = \pi/3 = 60$ stupňov | 60° | 0,5 $(\cos\phi)/(2\pi) =$ $= 0,07957747154594766788444$ 1881686257 | $0,304728158522405804988532559989798534395286045112822783532734\dots$ $v_{rot}/c = 0,30472815852240580498853255998979853439528$ $v_{rot} = 91355203,665245684350980837972135$ m/s = 91355,204 km/s $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 7269816,120$ m/s $v_{climb} = 7269,816$ km/s average $v_{transl} = v_{climb} \sin 45^\circ = 5140,536$ km/s |
| | 59° | 0,515038074910054210081631 93639814 $(\cos\phi)/(2\pi) =$ $= 0,08197085550246900476007109600$ 5015 | $0,318551835664780456174193289801635673880790343754972419379154\dots$ $v_{rot}/c = 0,31855183566478045617419328980163567$ $v_{rot} = 95499437,814356596986822682516548$ m/s = 95499,4378 km/s $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 7828170,6176476490036263375754919$ m/s $v_{climb} = 7828,1706$ km/s average $v_{transl} = v_{climb} \sin 45^\circ = 5535,35$ km/s |
| | 58° | 0,529919264233204954046781 15181609 $(\cos\phi)/(2\pi) =$ $= 0,08433927034233478188574327909$ 3773 | $0,332852260246659094685012496781253640967548895621120049768867\dots$ 0,332852260246659094685012496781253640967 $v_{rot}/c = 0,332852260246659094685012496781253640967$ $v_{rot} = 99786597,250201616283674632170693$ m/s = 99786,59725 km/s $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 8415928,8020264346749535117691155$ m/s $v_{climb} = 8415,9288$ km/s average $v_{transl} = v_{climb} \sin 45^\circ = 5950,96$ km/s |
| | 57° | 0,544639035015027082224083 69208157 $(\cos\phi)/(2\pi) =$ $= 0,08668199462344142641037710791$ 7454 | $0,347670443615053024906944129218651334488014236004770095297750\dots$ 0,347670443615053024906944129218651334488 $v_{rot}/c = 0,347670443615053024906944129218651334488$ $v_{rot} = 104228976,86530715213718800176693$ m/s = 104228,9769 km/s $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 9034775,6122453553799141044896179$ m/s $v_{climb} = 9034,7756$ km/s average $v_{transl} = v_{climb} \sin 45^\circ = 6388,551$ km/s |
| | 56° | 0,559192903470746830160428 13998599 | $0,363052015987941542976649443075091058011519245215177091963385\dots$ 0,3630520159879415429766494430750910580115 |

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| | | $(\cos\phi)/(2\pi) =$ $=0,08899831472927843354563490820$ 4638 | $v_{rot}/c = 0,3630520159879415429766494430750910580115$ $v_{rot} = 108840256,25488029352928237314379 \text{ m/s} = 108840,2563 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 9686599,3813871519841958331379241 \text{ m/s}$ $v_{climb} = 9686,5994 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 6849,460 \text{ km/s}$ |
| | 55° | 0,573576436351046096108031 91282616 $(\cos\phi)/(2\pi) =$ $=0,09128752508630286862404550849$ 3706 | 0.3790479782401770719584595922166862400788044... 0,3790479782401770719584595922166862400788 $v_{rot}/c = 0,3790479782401770719584595922166862400788$ $v_{rot} = 113635725,09655319875766947504411 \text{ m/s} = 113635,7251 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 10373524,105451816599426702963116 \text{ m/s}$ $v_{climb} = 10373,5241 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 7335,189 \text{ km/s}$ |
| | 54° | 0,587785252292473129168705 95463907 $(\cos\phi)/(2\pi) =$ $=0,09354892837886390332129190661$ 5298 | 0.395715611750978600029725609456302308682079065376417368690490... 0,3957156117509786000297256094563023086821 $v_{rot}/c = 0,3957156117509786000297256094563023086821$ $v_{rot} = 118632555,91579955840831031352436 \text{ m/s} = 118632,5559 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 11097948,476768700147212056262624 \text{ m/s}$ $v_{climb} = 11097,9485 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 7847,435 \text{ km/s}$ |
| | 53° | 0,601815023152048279917977 00044149 $(\cos\phi)/(2\pi) =$ $=0,09578183576161191794690970665$ 5076 | 0.413119588304284127254042024818710764709544094771888524174559... 0,41311958830428412725404202481871076471 $v_{rot}/c = 0,41311958830428412725404202481871076471$ $v_{rot} = 123850136,82568939043987404905549 \text{ m/s} = 123850,1368 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 11862593,464491345202163081817685 \text{ m/s}$ $v_{climb} = 11862,5935 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 8388,120 \text{ km/s}$ |
| | 52° | 0,615661475325658279668811 09284366 $(\cos\phi)/(2\pi) =$ $=0,09798556706932746793318540217$ | 0.431333335712503600432023485890084642865573418727826266874255... 0,43133333571250360043202348589008464286 $v_{rot}/c = 0,43133333571250360043202348589008464287$ |

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| | | 6855 | $v_{\text{rot}} = 129310480,93059063570736618274869 \text{ m/s} = 129310,4809 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\phi)/(2\pi) = 12670560,801991379304817026233654 \text{ m/s}$ $v_{\text{climb}} = 12670,5608 \text{ km/s}$ average $v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 8959,439 \text{ km/s}$ |
| | 51° | 0,629320391049837452705902 45827997 $(\cos\phi)/(2\pi) =$ $= 0,10015945102410619858640314656$ 053 | 0,450440733884034951042720585336522598434 0,450440733884034951042720585336522598434 $v_{\text{rot}}/c = 0,450440733884034951042720585336522598434$ $v_{\text{rot}} = 135038734,79441872493100686728508 \text{ m/s} = 135038,7348 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\phi)/(2\pi) = 13525405,543998847911020546773589 \text{ m/s}$ $v_{\text{climb}} = 13525,4055 \text{ km/s}$ average $v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 9563,906 \text{ km/s}$ |
| | 50° | 0,642787609686539326322643 40990726 $(\cos\phi)/(2\pi) =$ $= 0,10230282543983659756836$ 144428118 | 0,470538242982286784213163470243639059508461902585435700422035... 0,47053824298228678421316347024363905950846190 $v = 141063816,44666100550017987269996 \text{ m/s} = 141063,816 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\phi)/(2\pi) = 14431226,98982 \text{ m/s}$ $v_{\text{climb}} = 14431,227 \text{ km/s}$ average $v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 10204,418 \text{ km/s}$ |
| | 49° | 0,656059028990507284782495 96402342 $(\cos\phi)/(2\pi) =$ $= 0,10441503742390829920393342651$ 164 | 0,491737604014022502909715177407920663244906940262248117011060... 0,491737604014022502909715177407920663244906940 $v_{\text{rot}}/c = 0,491737604014022502909715177407920663244906940$ $v_{\text{rot}} = 147419224,99839447261461566511475 \text{ m/s} = 147419,2250 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\phi)/(2\pi) = 15392783,895210916737681967718408 \text{ m/s}$ $v_{\text{climb}} = 15392,7839 \text{ km/s}$ average $v_{\text{transl}} = v_{\text{climb}} \sin 45^\circ = 10884,342 \text{ km/s}$ |
| | 48° | 0,669130606358858213826273 33068678 $(\cos\phi)/(2\pi) =$ $= 0,10649544357608949831118640842$ 987 | 0,514169308786758038063079998523898222904356994379319410544104... 0,514169308786758038063079998523898222904357 $v_{\text{rot}}/c = 0,514169308786758038063079998523898222904357$ $v_{\text{rot}} = 154144080,90934319008218831180785 \text{ m/s} = 154144,0809 \text{ km/s}$ $v_{\text{climb}} = v_{\text{rot}} (\cos\phi)/(2\pi) = 16415642,271069132105538295478463 \text{ m/s}$ |

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| | | | $v_{climb} = 16415,6423 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 11607,612 \text{ km/s}$ |
| | 47° | 0,681998360062498500442225 78471113 $(\cos\phi)/(2\pi) =$ =0,10854341018451289356723930589 27 | 0.537987120650597373732519087630134274136576692766403561879564... 0,5379871206505973737325190876301342741365767 $v_{rot}/c = 0,5379871206505973737325190876301342741365767$ $v_{rot} = 161284481,27218514583961653181252 \text{ m/s} = 161284,4813 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 17506367,607123180207801390353896 \text{ m/s}$ $v_{climb} = 17506,3676 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 12378,871 \text{ km/s}$ |
| | 46° | 0,694658370458997286656406 29942269 $(\cos\phi)/(2\pi) =$ =0,11055831341871046119295020672 757 | 0.563374056350870713618120737276089953294418249855650027444279... 0,5633740563508707136181207372760899532944182 $v_{rot}/c = 0,5633740563508707136181207372760899532944182$ $v_{rot} = 168895293,12685804167579048916874 \text{ m/s} = 168895,2931 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 18672778,752464146156624333259705 \text{ m/s}$ $v_{climb} = 18672,77875 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 13203,648 \text{ km/s}$ |
| | 45° | 0,707106781186547524400844 36210485 $(\cos\phi)/(2\pi) =$ =0,11253953951963825869439989887 584 | 0.590550441005343139857616745859240142449175429864725911211494... 0,5905504410053431398576167458592401424491754 $v_{rot}/c = 0,5905504410053431398576167458592401424491754$ $v_{rot} = 177042568,28197581103135269426303 \text{ m/s} = 177042,5683 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 19924289,109827671679449851512959 \text{ m/s}$ $v_{climb} = 19924,2891 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 14088,600 \text{ km/s}$ |
| | 44° | 0,719339800338651139356054 67445671 $(\cos\phi)/(2\pi) =$ =0,1144864849866337526514009114 531 | 0.619784972786121310316708342165077452921601743297711116326678... 0,6197849727861213103167083421650774529216017 $v_{rot}/c = 0,6197849727861213103167083421650774529216017$ $v_{rot} = 185806860,42301441590602675236675 \text{ m/s} = 185806,8604 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 21272374,336232923004972166035402 \text{ m/s}$ $v_{climb} = 21272,3743 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 15041,84 \text{ km/s}$ |

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| | 43° | 0,731353701619170483287543 60827562 $(\cos\phi)/(2\pi) =$ =0,11639855676124607995102115602 631 | 0.651410273235464532154914358266781752178405001571186583900534... 0,6514102732354645321549143582667817521784050 $v_{rot}/c = 0,6514102732354645321549143582667817521784050$ $v_{rot} = 195287886,97971152486654181224406 \text{ m/s} = 195287,8870 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 22731228,197391761216247022547971 \text{ m/s}$ $v_{climb} = 22731,2282 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 16073,406 \text{ km/s}$ |
| | 42° | 0,743144825477394235014697 04897426 $(\cos\phi)/(2\pi) =$ =0,11827517240789117052444638128 938 | 0.6858453291367208275362749170445488953769482301177384115602... 0,6858453291367208275362749170445488953769483 $v_{rot}/c = 0,6858453291367208275362749170445488953769483$ $v_{rot} = 205611257,02971655494689394154437 \text{ m/s} = 205611,2570 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 24318706,874192950950445221869163 \text{ m/s}$ $v_{climb} = 24318,7069 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 17195,923 \text{ km/s}$ |
| | 41° | 0,754709580222771997942984 21956102 $(\cos\phi)/(2\pi) =$ =0,12011576029126349491717672038 87 | 0.723628905896127114622943945099559347167951654003695060918427... 0,72362890589612711462294394509955934716795165 $v_{rot}/c = 0,72362890589612711462294394509955934716795165$ $v_{rot} = 216938488,37845064037326010849745 \text{ m/s} = 216938,4884 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 26057731,46801502859807768072853 \text{ m/s}$ $v_{climb} = 26057,7315 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 18425,599 \text{ km/s}$ |
| | 40° | 0,766044443118978035202392 65055542 $(\cos\phi)/(2\pi) =$ =0,12191975975046360272519 486150119 | 0.765471182644718647941843491555499291792214259709542355577987... $v_{rot}/c = 0,76547118264471864794184349155549929179$ $v = 229482487,37322714418492190138458 \text{ m/s} = 229482,487 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\phi)/(2\pi) = 27978449,727482650 \text{ m/s}$ $v_{climb} = 27978,4497 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 19783,752 \text{ km/s}$ |
| | 39° | 0,777145961456970879979937 7436724 | 0.812337240247962577500438231077154664761882437709082223948385... $v_{rot}/c = 0,81233724024796257750043823107715466476$ $v_{rot} = 243532577,97887323060087187337175 \text{ m/s} = 243532,577 \text{ km/s}$ |

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| | | $(\cos\varphi)/(2\pi) =$ =0,12368662126978048642538 717137345 | $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 30121721,7393 \text{ m/s}$ $v_{climb} = 30121,722 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 21299,274 \text{ km/s}$ |
| | 38° | 0,788010753606721956693977 78783585 $(\cos\varphi)/(2\pi) =$ =0,12541580664607939022665 934953968 | 0.865589873165299252596244857083262245043548736323475707999352... 0,8655898731652992525962448570832622 $v_{rot}/c = 0,8655898731652992525962448570832622$ $v_{rot} = 259497315,69613330324139112727477 \text{ m/s} = 259497,316 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 32545065,170522876799874203488266 \text{ m/s}$ $v_{climb} = 32545,065 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 23012,836 \text{ km/s}$ |
| | 37° | 0,798635510047292846284000 80406894 $(\cos\varphi)/(2\pi) =$ =0,12710678915274369860738 762826401 | 0.927252176787297809060361720101420332427917437377393303373237... 0,927252176787297809060361720 $v_{rot}/c = 0,927252176787297809060361720$ $v_{rot} = 277983209,26491455335622051040791 \text{ m/s} = 277983,209 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 35333553,168038522770352834960169 \text{ m/s}$ $v_{climb} = 35333,55 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 24984,593 \text{ km/s}$ |
| | 36° | 0,809016994374947424102293 41718282 $(\cos\varphi)/(2\pi) =$ =0,12875905370012096625181 62753936 | 1.000539256342261797177587246863717366813671224737318366317102... $v_{rot}/c = 1,0005392563422617971775872468637$ $v_{rot} = 299954122,98433875345536634324651 \text{ m/s} = 299954,123 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 38621809,029211864455641499894486 \text{ m/s}$ $v_{climb} = 38621,809 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 27309,743 \text{ km/s}$ |
| | 35° | 0,819152044288991789684488 38591684 $(\cos\varphi)/(2\pi) =$ =0,13037209699242421597040 718095714 | 1.091092423269137244471728663728448923118127020887074303695945... $v_{rot}/c = 1,091092423269137244471728663728448923118$ $v_{rot} = 327101279,47703105005952644760807 \text{ m/s} = 327101,279 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 42644879,734326 \text{ m/s}$ $v_{climb} = 42644,8797 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 30154,4834 \text{ km/s}$ |

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| | 32,123° | 0,846908536072527033724612 6886004 $(\cos\varphi)/(2\pi) =$ $=0,13478967986266342820631$ 84886597 | $v_{rot}/c = 1,89550406058$ $v_{rot} = 568257821,47025910564 \text{ m/s} = 568257,8215 \text{ km/s}$ $v_{climb} = v_{rot} (\cos\varphi)/(2\pi) = 76595289,835430773270630504574016 \text{ m/s}$ $v_{climb} = 76595,2898 \text{ km/s}$ average $v_{transl} = v_{climb} \sin 45^\circ = 54161,0488 \text{ km/s}$ |
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The proposed views

In short, when four protons fuse to become one helium nucleus, two of which must be converted into neutrons, and each such transition depends on the penetration of the two electrons from the Universe, to the interior of the star.

Penetration 10^{38} to 10^{58} of high energy electrons from the Universe to the interior of the star, transferred huge amounts of energy from the Universe into a small space of the star.(Also at the beginning of ignition stars in the nebulae too ... there where stars are born).

This huge cosmic energy is responsible for thermonuclear fusion.

Currently prevailing opinion that the star itself is the source of the nuclear fusion powering the star.

In fact, without a high-energy electrons from other stars of the Universe, single star can not be able to a nuclear fusion, because without a high-energy electrons from other stars, her stellar protons cannot be transform into her neutrons.

The idea that inside the star, the mass converted to energy and energy into mass, without regard to high-energy electrons from the surrounding Universe, so finally falls. It is unsustainable.

Neutronization, i.e. injection of free electrons to protons to form neutrons and neutrinos, as a consequence of the Pauli principle can therefore simply replace with the above considerations. Although the inverse beta-decay is common to both considerations, the qualitative difference is obvious.

The free electrons in the stars are replaced by high-energy electrons from the Universe and neutrinos are replaced by waves which spread in the opposite direction to the movement of high-energy electrons from the Universe, i.e.

by kinetic energy (of wave = of neutrinos) = $E_w = mc^2 [\ln |1 + v/c| - (v/c)/(1 + v/c)]$ against direction of motion of electron (from the interior of the star, to the Universe), where v is velocity of electron.

Moreover, formation of a supernova is only possible, if the increase the number of penetrating high-energy electrons from the Universe.

At the end of life star :

1. high-energy electrons from the Universe are penetrating into the star,
2. by waves (= by electron neutrinos) propagated from inside of star to her surface, the star expands, more and more. More and more active are mutual repellent protons of star. In combination with neutrino waves, star more and more expands.

Gradually grows, its radius will expand about 100 times ($R_{RG} = 100 R_s \dots$ Arcturus) and due to conservation of angular momentum

($L = I^* \omega = \text{const}$) decreases rotation of the magnified star from $\omega_s = 2,8 \cdot 10^{-6}$ Hz on $\omega_{RG} = 10^{-8}$ Hz. This creates a Red Giant.

This makes that the high-energy electrons from the Universe easily penetrate into the interior of stars (electrons have a small radius of force reach $r_e = 2,840401487397554751560630135382 \cdot 10^{-24}$ m in direction of motion from the Universe) and in particular the impact of 10^6 times more (since the volume of Red Giant is a $100^3 = 10^6$ times greater).

Therefore into the interior of Red Giant can easily penetrate slower electrons from the universe too. Total number all electrons from the Universe is approximately 10^7 times more than in the middle of life stars. As a result, inside the Red Giant arises approximately 10^7 times more neutrons per second.

After some time, almost all protons inside the Red Giant will turn into neutrons (repulsive force of protons is replaced without force, or a weak attractive force of neutrons respectively).

After the conversion of protons into neutrons, leads to of neutrons concentration and a very dense neutron star with a radius of $R_{ns} = 10\ 000$ km, and due to conservation of angular momentum,

neutron star spinning at $\omega_{ns} = 1$ Hz to 716 Hz.^[17]

Together with this reduction of the Red Giant in neutron star, arises emission neutrino waves in the opposite direction of movement of electrons from the Universe.

This creates a shock wave which ejects the remnants of star into Universe - thus creating a circular cloud of gas that is growing with time after the supernova explosion.

The remaining protons, which did not create with electrons from the Universe neutrons,

create hydrogen atoms - electron capture (K-capture).

And either because some electrons from the Universe have a lower speed of 0,003 c – 0,6c or because they are located in areas distant from the center of the star where the pressure is significantly lower. These hydrogen atoms are entrained by the neutrino waves propagating from inside of the star out into Universe.^[16]

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