

## Erratum: Local discrimination of quantum measurement without assistance of classical information [ J. Quantum Inf. Sci. 2015, 5, 71]

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There are mistakes in Sections 3 and 4 of this paper, some calculated values need to be corrected in the following some sentences:

On page 75, Section 3, first paragraph:

Now let us turn to depict the LQMD. Suppose that two spacelike separated observers, Alice and Bob, share 16 [not 30] seven-qubit GHZ states, which [...],

where  $k = 1, 2, \dots, 16$  [not 30], and [...]. [...], on her qubits in the state  $|G^{(k)}\rangle$  ( $k = 1, 2, \dots, 16$  [not 30]) respectively.

[...], the probability of all qubits  $B^{(k)}$  in the states  $\frac{1}{g_n T_n} |\mu^+\rangle$  or  $\frac{1}{g_n T_n} |\mu^-\rangle$  ( $g_n = 2^{(6-n)/2}$ ,  $n = 1, 2, \dots, 6$ ) is

$\left(\frac{63}{64}\right)^{16} \approx 0.78$  [instead of  $\left(\frac{63}{64}\right)^{30} \approx 0.62$ ], i.e., the probability of at least one qubit  $B^{(k')}$  in the state  $|\psi_6^+\rangle$  is

$1 - \left(\frac{63}{64}\right)^{16} \approx 0.22$  [instead of  $1 - \left(\frac{63}{64}\right)^{30} \approx 0.38$ ]. [...]. One can see that, after measurements of Bob, in the 22%

[not 38%] cases, [...]. [...] will be in the ratio of one to  $u$  ( $u = \left(\frac{x^{32}}{y^{31}}\right)^2 / \left(\frac{y^{32}}{x^{31}}\right)^2 \approx 9.22 \times 10^{18}$  [not  $1.45 \times 10^{29}$ ]),

that is, the qubit  $B^{(k')}$  will be always collapsed into the state  $|1\rangle$ . As a special case, we also assume that all the other 15

[not 29] qubits  $B^{(k)}$  are in the states  $|\psi_1^\pm\rangle$  after Alice's measurements and then all the 15 [not 29] qubits are in the state

$|0\rangle$  after Bob's measurements. In this situation, one can easily find that the probability of the 16 [not 30] qubits  $B^{(k)}$  in

the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to 1.6 [not 2.5] after Bob's measurements. For general cases in which the

qubit  $B^{(k')}$  in the state  $|\psi_6^+\rangle$  and other 15 [not 29] qubits  $B^{(k)}$  collapsed randomly into the states  $\frac{1}{g_n T_n} |\mu^\pm\rangle$

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**Previous presentation:** Parts of this paper were published / made public before ... (if it applies, provide reference to source and specify which part of the paper).

( $g_n = 2^{(6-n)/2}$ ,  $n = 1, 2, \dots, 6$ ) after Alice's measurements, it is easily found that the probability of the 16 [not 30] qubits  $B^{(k)}$  in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $w_{(1)}$  ( $w_{(1)} > 1.6$  [not 2.5]) after Bob's measurements. Now we consider the case in which there are two qubits  $B^{(k')}$  and  $B^{(k'')}$  in the state  $|\psi_6^+\rangle$  after Alice's measurements. Similar to the above described, one can find that the probability of the 16 [not 30] qubits  $B^{(k)}$  in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $w_{(2)}$  ( $w_{(2)} \geq 3.43$  [not 5.15]) after Bob's measurements. For the cases in which more qubits  $B^{(1)}$ ,  $B^{(2)}$ ,  $\dots$ ,  $B^{(l)}$  ( $l = 3, 4, \dots, 16$  [not 30]) collapsed into the state  $|\psi_6^+\rangle$  after Alice's measurements, the probability of the 16 [not 16] qubits  $B^{(k)}$  in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $w_{(l)}$  ( $w_{(l)} > w_{(2)}$ ,  $l = 3, 4, \dots, 16$  [not 30]) after Bob's measurements. As mentioned above, after Alice's measurements, in the cases in which at least one qubit  $B^{(k')}$  in the state  $|\psi_6^+\rangle$  (i.e., in the 22% [not 38%] cases), the probability of the 16 [not 30] qubits  $B^{(k)}$  in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $W$  ( $W \geq 1.6$  [not 2.5]) after Bob's measurements, where  $W \in \{\omega_{(j)} : j = 1, 2, \dots, 16\}$  [not 30].

On page 76, Section 3, second paragraph:

To ensure the result of Bob's measurements more reliable, it can be further supposed that Alice and Bob share 40 entangled states groups (ESGs), each consisting of 16 [not 30] seven-qubit GHZ states  $|G^{(k)}\rangle$  (see Eq. (11)). If Alice's measurements are the CPMs, it is easy found that, after Alice's and Bob's measurements, the probability of all qubits  $B^{(k)}$  of each ESG in the state  $|0\rangle$  or  $|1\rangle$  will be still in the ratio of one to one. If Alice's measurements are the SPMs, by statistics theory, after Alice's and Bob's measurements, in 8 [not 15] ESGs the probability of the qubits  $B^{(k)}$  of each ESG in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $W$  ( $W \geq 1.6$  [not 2.5]).

On page 76, Section 3, third paragraph:

As described above, one can see that, in this scheme, at the appointed time  $t$ , Bob should measure his qubits  $B^{(k)}$  all in the basis  $\{|0\rangle, |1\rangle\}$ . If Alice employs the CPMs on her qubits, after Bob's measurements, the probability of all qubits  $B^{(k)}$  in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to one. If Alice's measurements are the SPMs, after Bob's measurements, in 8 [not 15] of the 40 ESGs the probability of the qubits  $B^{(k)}$  of each ESG in the state  $|0\rangle$  or  $|1\rangle$  will be in the ratio of one to  $W$  ( $W \geq 1.6$  [not 2.5]). In accordance with these outcomes, Bob can discriminate that the measurements employed by Alice are CPMs or SPMs. Thus, the LQMD is completed successfully.

On page 76, Section 4, first paragraph:

[...], either EDS is composed of 40 ESGs and each ESG consisting of 16 [not 30] seven-qubit GHZ states, which [...].

On page 77, Section 4, first paragraph:

[...], where  $i = 1, 2$ ,  $j = 1, 2, \dots, 40$ , and  $k = 1, 2, \dots, 16$  [not 30], and [...].

The correction of these mistakes does not affect the results and conclusion of the original paper.