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O V E R V I E W

This study suggests grouping of numbers that do not divide the number 3 and/or 5 in eight columns . Allocation results obtained from the multiplication of numbers is based on column belonging to him .

Using this method of determining if a number is prime up to a given number to minimize the number of operations for multiplying odd numbers.

List of keywords : factor , termination , position , column

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THE FACTORIAL MULTIPLYING

This paper deals with the study of odd numbers that cannot be divided with 3 and/or 5 by grouping them in eight columns, as follows:

	C	O	L	U	M	N		
Position	1	2	3	4	5	6	7	8
0	7	11	13	17	19	23	29	31
1	37	41	43	47	49	53	59	61
2	67	71	73	77	79	83	89	91
3	97	101	103	107	109	113	119	121

The multiplication versions are in number of 36 , their results being allocated according to columns, as follows :

Col.1 = Col.	1x8;	2x4;	3x5;		6x7;			
Col.2 = Col.	1x6;	2x8;	3x4;		5x7;			
Col.3 = Col.	1x5;	2x6;	3x8;	4x7;				
Col.4 = Col.	1x2;		3x7;	4x8;	5x6;			
Col.5 = Col.	1x1;	2x7;	3x3;	4x4;	5x8;	6x6;		
Col.6 = Col.	1x7;	2x3;		4x5;		6x8;		
Col.7 = Col.	1x4;	2x5;	3x6;			7x8;		
Col.8 = Col.	1x3;	2x2;		4x6;	5x5;		7x7;	8x8;

Position calculus

From the result of multiplying two numbers subtract the number assigned at position zero of the column namely one of the numbers 7 - 11 - 13 - 17 - 19 - 23 - 29 - 31 , the result is divided by 30 . Integer obtained indicates the position of that number considering .

We assing factorial group for multiplying operation positions from 0 – 99 , numbers between 7 – 3.001 grouped in columns . The positions occupied by the result of the multiplication between any two numbers in the factorial group is a maximum six digit number . The last two digits of the number shows the ending termination , the rest of maximum four digits is the factor an wich the position will be calculated for those termination belonging to specific column .

I1 and I2 are two numbers higher than the numbers belonging to factorial group .

Position obtained by multiplying the numbers is determined by formula :

$$P = n_2 \times i_1(f) + n_1 \times i_2 + F, \text{ followed by } T$$

$$\text{Or, } P = n_1 \times i_2(f) + n_2 \times i_1 + F, \text{ followed by } T$$

where :

n_1, n_2 - represents the number of multiplications for any 3.000 of $i_1(f)$, respectively $i_2(f)$;

$i_1(f), i_2(f)$ - represents the corresponding numbers of i_1 and i_2 in factorial group ;

F – factor

T – termination

Be ,

$$N = 1.078.836.307 \quad p = 35.961.210 \quad \text{col.1} \quad T = 10 \quad ; \quad p(\text{without } T) = 359.612$$

We calculate all the factors collumn 1 , termination 10

The four types of multiplication corresponding col. 1 between numbers belonging to factor group , generates 400 factors with T.10 , as follows :

$$7 \times 901 = 2$$

$$37 \times 1711 = 21$$

$$67 \times 721 = 16$$

$$307 \times 3001 = 307$$

$$337 \times 811 = 91$$

$$367 \times 2821 = 345$$

$$607 \times 2101 = 425$$

$$637 \times 2911 = 618$$

$$667 \times 1921 = 427$$

$$2707 \times 1801 = 1625$$

$$2737 \times 2611 = 2382$$

$$2767 \times 1621 = 1495$$

$$97 \times 931 = 30$$

$$127 \times 2341 = 99$$

$$157 \times 1951 = 102$$

$$397 \times 31 = 4$$

$$427 \times 1441 = 205$$

$$457 \times 1051 = 160$$

$$697 \times 2131 = 495$$

$$727 \times 541 = 131$$

$$757 \times 151 = 38$$

$$2797 \times 1831 = 1707$$

$$2827 \times 241 = 227$$

$$2857 \times 2851 = 2715$$

$$187 \times 2761 = 172$$

$$217 \times 1771 = 128$$

$$247 \times 1981 = 163$$

$$487 \times 1861 = 302$$

$$517 \times 871 = 150$$

$$547 \times 1081 = 197$$

$$787 \times 961 = 252$$

$$817 \times 2971 = 809$$

$$847 \times 181 = 51$$

$$2887 \times 661 = 636$$

$$2917 \times 2671 = 2597$$

$$2947 \times 2881 = 2830$$

$$277 \times 391 = 36$$

$$577 \times 2491 = 476$$

$$877 \times 1591 = 465$$

$$2977 \times 1291 = 1281$$

Or,

$$11 \times 1937 = 7$$

$$41 \times 227 = 3$$

$$71 \times 2117 = 50$$

$$311 \times 2837 = 294$$

$$341 \times 1127 = 128$$

$$371 \times 17 = 2$$

$$611 \times 737 = 150$$

$$641 \times 2027 = 433$$

$$671 \times 917 = 205$$

$$2711 \times 1037 = 937$$

$$2741 \times 2327 = 2126$$

$$2771 \times 1217 = 1124$$

$101 \times 1607 = 54$	$131 \times 1697 = 74$	$161 \times 2387 = 128$
$401 \times 2507 = 335$	$431 \times 2597 = 374$	$461 \times 287 = 44$
$701 \times 407 = 95$	$731 \times 497 = 121$	$761 \times 1187 = 3011$
.....
$2801 \times 707 = 660$	$2831 \times 797 = 752$	$2861 \times 1487 = 1418$

$191 \times 677 = 43$	$221 \times 2567 = 189$	$251 \times 2057 = 172$
$491 \times 1577 = 258$	$521 \times 467 = 81$	$551 \times 2957 = 543$
$791 \times 2477 = 653$	$821 \times 1367 = 374$	$851 \times 857 = 243$
.....
$2891 \times 2777 = 2676$	$2921 \times 1667 = 1623$	$2951 \times 1157 = 1138$

$281 \times 2147 = 201$

$581 \times 47 = 9$

$881 \times 947 = 278$

.....

$2981 \times 1247 = 1239$

Or,

$19 \times 1753 = 11$	$49 \times 1843 = 30$	$79 \times 1333 = 35$
$319 \times 2653 = 282$	$349 \times 2743 = 319$	$379 \times 2233 = 282$
$619 \times 553 = 114$	$649 \times 643 = 139$	$679 \times 133 = 30$
.....
$2719 \times 853 = 773$	$2749 \times 943 = 864$	$2779 \times 433 = 401$

$109 \times 223 = 8$	$139 \times 1513 = 70$	$169 \times 2203 = 124$
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$$409 \times 1123 = 153$$

$$439 \times 2413 = 353$$

$$469 \times 103 = 16$$

$$709 \times 2023 = 478$$

$$739 \times 313 = 7$$

$$769 \times 1003 = 257$$

$$2809 \times 2323 = 2175$$

$$2839 \times 613 = 580$$

$$2869 \times 1303 = 1246$$

$$199 \times 2293 = 152$$

$$229 \times 1783 = 136$$

$$259 \times 673 = 58$$

$$499 \times 193 = 32$$

$$529 \times 2683 = 473$$

$$559 \times 1573 = 293$$

$$799 \times 1093 = 291$$

$$829 \times 583 = 161$$

$$859 \times 2473 = 708$$

$$2899 \times 1393 = 1346$$

$$2929 \times 883 = 862$$

$$2959 \times 2773 = 2735$$

$$289 \times 1963 = 189$$

$$589 \times 2863 = 562$$

$$889 \times 763 = 226$$

$$2989 \times 1063 = 1059$$

Or,

$$29 \times 2183 = 21$$

$$59 \times 1073 = 21$$

$$89 \times 2363 = 70$$

$$329 \times 83 = 9$$

$$359 \times 1973 = 236$$

$$389 \times 263 = 34$$

$$629 \times 983 = 206$$

$$659 \times 2873 = 631$$

$$689 \times 1163 = 267$$

$$2729 \times 1283 = 1167$$

$$2759 \times 173 = 159$$

$$2789 \times 1463 = 1360$$

$$119 \times 53 = 2$$

$$149 \times 143 = 7$$

$$179 \times 2633 = 157$$

$$419 \times 953 = 133$$

$$449 \times 1043 = 156$$

$$479 \times 533 = 85$$

$$719 \times 1853 = 444$$

$$749 \times 1943 = 485$$

$$779 \times 1433 = 372$$

$$2819 \times 2153 = 2023$$

$$2849 \times 2243 = 2130$$

$$2879 \times 1733 = 1663$$

$$209 \times 1523 = 106$$

$$239 \times 2813 = 224$$

$$269 \times 503 = 45$$

$$509 \times 2423 = 411$$

$$539 \times 713 = 128$$

$$569 \times 1403 = 266$$

$$809 \times 323 = 87$$

$$839 \times 1613 = 451$$

$$869 \times 2303 = 667$$

$$2909 \times 623 = 604$$

$$2939 \times 1913 = 1874$$

$$2969 \times 2603 = 2576$$

$$299 \times 593 = 59$$

$$599 \times 1493 = 298$$

$$899 \times 2393 = 717$$

$$2999 \times 2693 = 2692$$

Grouping numbers from left of multiplying operation according to the above model , in this case numbers on the right have a constant growth rate , which allows for relatively simple determination of them .

Perform tests to see if number N is prime or not , using position calculation formulas , as follows :

Divisibility by :

$$3n.007 \times 3n.901 \quad F = 2$$

$$7 \times n ; \quad 901 \times n ; \quad 901 + 3007xn ; \quad 901x2 + 6007xn ; \quad 901x3 + 9007xn ; \dots$$

If no results indicate position of N decreased by the factor $F = 2$, the number studied does not divide multiples for any 3.000 of multiplying operations 7×901 .

$$3n.307 \times 3n.3001 \quad F = 307$$

$$307 \times n ; \quad 3001 \times n ; \quad 3001 + 3307xn ; \quad 3001x2 + 6307xn ; \quad 3001x3 + 9307xn ; \dots$$

Extract factor $F = 307$ out of the position number of N than check calculation above .

$$3n.607 \times 3n.2101 \quad F = 425$$

$607 \times n$; $2101 \times n$; $2101 + 3607xn$; $2101x2 + 6607xn$; $2101x3 + 9607xn$;

Or,

3n.2707 x 3n.1801 F = 1625

$2707 \times n$; $1801 \times n$; $1801 + 5707xn$; $1801x2 + 8707xn$; $1801x3 + 11707xn$;

If none of the operations related to 400 factors do not give as results the position of studied number , this number is prime .

For this example we check these calculations :

Divisibility by :

3n.007 x 3n.901 F = 2 P - F = 359.610

$7 \times 51.372 = 359.604$ not divisible by $7 \times 3n.901$

$901 \times 399 = 359.499$ not divisible by $901 \times 3n.901$

$901 + 3.007 \times 119 = 358.734$ -// - $3.007 \times 3n.901$

$901 \times 2 + 6.007 \times 59 = 356.215$ -// - $6.007 \times 3n.901$

$901 \times 3 + 9.007 \times 39 = 353.976$ -// - $9.007 \times 3n.901$

$901 \times 4 + 12.007 \times 29 = 351.807$ -// - $12.007 \times 3n.901$

$901 \times 5 + 15.007 \times 23 = 349.666$ -// - $15.007 \times 3n.901$

$901 \times 6 + 18.007 \times 20 = 365.546$ -// - $18.007 \times 3n.901$

$901 \times 7 + 21.007 \times 16 = 342.419$ -// - $21.007 \times 3n.901$

$901 \times 8 + 24.007 \times 14 = 343.306$ -// - $24.007 \times 3n.901$

$901 \times 9 + 27.007 \times 13 = 359.200$ -// - $27.007 \times 3n.901$

$901 \times 10 + 30.007 \times 11 = 339.087$ -// - $30.007 \times 3n.901$

.....
 $901 \times 20 + 60.007 \times 5 = 318.055$ -// - $60.007 \times 3n.901$

.....
 $901 \times 30 + 90.007 \times 3 = 297.054$ -// - $90.007 \times 3n.901$

.....

$$901 \times 40 + 120.007 \times 2 = 276.054 \quad -//-\quad 120.007 \times 3n.901$$

.....

$$901 \times 50 + 150.007 \times 2 = 345.064 \quad -//-\quad 150.007 \times 3n901$$

.....

$$901 \times 60 + 180.007 \times 1 = 234.067 \quad -//-\quad 180.007 \times 3n.901$$

.....

$$901 \times 92 + 276.007 = 358.899 \quad -//-\quad 276.007 \times 3n.901$$

Last calculation can be performed .

Testing for number N continues with :

Divisibility by : 3n.037 x 3n.1711 F = 21 P – F = 359.591

3n.067 x 3n.721 F = 16 P – F = 359.596

.....

Divisibility by :

3n.2999 x 3n.2693 F = 2.692 P – F = 356.920

$$2.999 \times 119 = 356.881 \quad -//-\quad 2999 \times 3n.2693$$

$$2.693 \times 132 = 355.476 \quad -//-\quad 2693 \times 3n.2999$$

$$2.693 + 5.999 \times 59 = 356.634 \quad -//-\quad 5999 \times 3n.2693$$

$$2.693 \times 2 + 8.999 \times 39 = 356.347 \quad -//-\quad 8999 \times 3n.2693$$

.....

$$2.693 \times 10 + 32.999 \times 10 = 356.920 , \text{ number identical to } P – F ,$$

so N is divisible by 32.999

This method does not performs decomposition in prime factors of a studied number , it is testing only if the number is prime or not using a minimum number of operations for multiplying odd numbers .

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R E Z U M A T

In acest studiu se propune gruparea numerelor care nu se divid cu 3 si/sau 5 in opt coloane si alocarea rezultatelor obtinute in urma inmultirii lor , in functie de coloana careia i-i apartine .

Prin utilizarea acestui procedeu de calcul in vederea stabilirii primalitatii unui anumit numar oarecare dat se realizeaza reducerea la minimum a numarului de operatii de multiplicare a numerelor impare .

Lista de cuvinte cheie : factor , terminatie , pozitie , coloana .

Sunt de acord cu publicarea lucrarii intitulata " Inmultirea factoriala "de catre vixra.org .

INMULTIREA FACTORIALA

Aceasta lucrare se ocupa de studierea inmultirii numerelor impare care nu se divid cu 3 si/sau 5 prin gruparea acestora in opt coloane , astfel :

C O L O A N A

Pozitia	1	2	3	4	5	6	7	8
0	7	11	13	17	19	23	29	31
1	37	41	43	47	49	53	59	61
2	67	71	73	77	79	83	89	91
3	97	101	103	107	109	113	119	121

Variantele de inmultire sint in numar de 36 , iar rezultatele lor fiind alocate pe coloane , astfel :

Col.1 = Col.	1x8;	2x4;	3x5;		6x7;			
Col.2 = Col.	1x6;	2x8;	3x4;		5x7;			
Col.3 = Col.	1x5;	2x6;	3x8;	4x7;				
Col.4 = Col.	1x2;		3x7;	4x8;	5x6;			
Col.5 = Col.	1x1;	2x7;	3x3;	4x4;	5x8;	6x6;		
Col.6 = Col.	1x7;	2x3;		4x5;		6x8;		
Col.7 = Col.	1x4;	2x5;	3x6;			7x8;		
Col.8 = Col.	1x3;	2x2;		4x6;	5x5;		7x7;	8x8;

Calculul pozitiei

Din numarul rezultat in urma inmultirii a doua numere se scade numarul din pozitia zero $i(p_0)$ a coloanei respective si anume unul din numerele 7 - 11 - 13 - 17 - 19 - 23 - 29 - 31 , rezultatul obtinut impartindu-se la 30 . Numarul intreg astfel obtinut arata pozitia ocupata de acel numar functie de coloana careia i-i apartine .

Numim grupa factoriala de operare a inmultirilor pozitiile de la 0 la 99 , adica numerele cuprinse intre 7 – 3.001 grupate pe coloane . Pozitia ocupata de rezultatul inmultirii intre oricare doua numere din grupa factoriala este alcautuita din maxim sase cifre . Ultimele doua indica terminatia pozitiei , iar cele maxim patru cifre ramase reprezinta factorul in baza caruia se vor calcula pozitiile apartinind terminatiei respective a unei anumite coloane .

Fie i_1 , i_2 doua numere oarecare mai mari decit numerele din grupa factoriala .

Pozitia ocupata de numarul obtinut prin inmultirea lor se obtine prin formula :

$$P = n_2 \times i_1(f) + n_1 \times i_2 + F , urmat de T$$

$$\text{Sau } = n_1 \times i_2(f) + n_2 \times i_1 + F , urmat de T$$

in care ,

n_1 , n_2 – reprezinta numarul de multiplicare a cte 3.000 ori al lui $i_1(f)$, respectiv $i_2(f)$;

$i_1(f)$, $i_2(f)$ – reprezinta numerele corespondente lui i_1 , i_2 in grupa factoriala ;

F – reprezinta factorul ;

T – reprezinta terminatia .

Fie $N = 1.078.836.307$ $p = 35.961.210$ col.1 $T = 10$ $p(\text{fara terminatie}) = 359.612$

Calculam toti factorii col.1 , terminatia 10 .

Cele patru variante de inmultire corespunzatoare col.1 , intre numerele apartinind grupei factoriale , genereaza 400 de factori avind terminatia 10 , dupa cum urmeaza :

$$7 \times 901 = 2$$

$$37 \times 1711 = 21$$

$$67 \times 721 = 16$$

$$307 \times 3001 = 307$$

$$337 \times 811 = 91$$

$$367 \times 2821 = 345$$

$$607 \times 2101 = 425$$

$$637 \times 2911 = 618$$

$$667 \times 1921 = 427$$

$$2707 \times 1801 = 1625$$

$$2737 \times 2611 = 2382$$

$$2767 \times 1621 = 1495$$

$$97 \times 931 = 90$$

$$127 \times 2341 = 99$$

$$157 \times 1951 = 102$$

$$397 \times 31 = 4$$

$$427 \times 1441 = 205$$

$$457 \times 1051 = 160$$

$$697 \times 2131 = 495$$

$$727 \times 541 = 131$$

$$757 \times 151 = 38$$

$$2797 \times 1831 = 1707$$

$$2827 \times 241 = 227$$

$$2857 \times 2851 = 2715$$

$$187 \times 2761 = 172$$

$$217 \times 1771 = 128$$

$$247 \times 1981 = 163$$

$$487 \times 1861 = 302$$

$$517 \times 871 = 150$$

$$547 \times 1081 = 197$$

$$787 \times 961 = 252$$

$$817 \times 2971 = 809$$

$$847 \times 181 = 51$$

$$2887 \times 661 = 636$$

$$2917 \times 2631 = 2597$$

$$2947 \times 2881 = 2830$$

$$277 \times 391 = 36$$

$$577 \times 2491 = 479$$

$$877 \times 1591 = 465$$

$$2977 \times 1291 = 1281$$

Si ,

$$11 \times 1937 = 7$$

$$41 \times 227 = 3$$

$$71 \times 2117 = 50$$

$$311 \times 2837 = 294$$

$$341 \times 1127 = 128$$

$$371 \times 17 = 2$$

$$611 \times 737 = 150$$

$$641 \times 2027 = 433$$

$$671 \times 917 = 205$$

$$2711 \times 1037 = 937$$

$$2741 \times 2327 = 2126$$

$$2771 \times 1217 = 1124$$

$$101 \times 1607 = 160707$$

$$131 \times 1697 = 221007$$

$$161 \times 2387 = 37717$$

$$401 \times 2507 = 1003007$$

$$431 \times 2597 = 111027$$

$$461 \times 287 = 13207$$

$$701 \times 407 = 28347$$

$$731 \times 497 = 363127$$

$$761 \times 1187 = 89957$$

$$2801 \times 707 = 198007$$

$$2831 \times 797 = 225007$$

$$2861 \times 1487 = 427007$$

$$191 \times 677 = 12907$$

$$221 \times 2567 = 56007$$

$$251 \times 2057 = 51477$$

$$491 \times 1577 = 76207$$

$$521 \times 467 = 23807$$

$$551 \times 2957 = 162007$$

$$791 \times 2477 = 192007$$

$$821 \times 1367 = 110007$$

$$851 \times 857 = 72307$$

$$2891 \times 2777 = 800007$$

$$2921 \times 1667 = 480007$$

$$2951 \times 1157 = 338007$$

$$281 \times 2147 = 60007$$

$$581 \times 47 = 2717$$

$$881 \times 947 = 82007$$

$$2981 \times 1247 = 370007$$

Si ,

$$19 \times 1753 = 3329$$

$$49 \times 1843 = 8927$$

$$79 \times 1333 = 10447$$

$$319 \times 2653 = 83507$$

$$349 \times 2743 = 94007$$

$$379 \times 2233 = 83007$$

$$619 \times 553 = 33937$$

$$649 \times 643 = 41907$$

$$679 \times 133 = 89007$$

$$2719 \times 853 = 230007$$

$$2749 \times 943 = 250007$$

$$2779 \times 433 = 118007$$

$$109 \times 223 = 23807$$

$$139 \times 1513 = 208007$$

$$169 \times 2203 = 368007$$

$$409 \times 1123 = 153$$

$$439 \times 2413 = 353$$

$$469 \times 103 = 16$$

$$709 \times 2023 = 478$$

$$739 \times 313 = 77$$

$$769 \times 1003 = 257$$

$$2809 \times 2323 = 2175$$

$$2839 \times 613 = 580$$

$$2869 \times 1303 = 1246$$

$$199 \times 2293 = 152$$

$$229 \times 1783 = 136$$

$$259 \times 673 = 58$$

$$499 \times 193 = 32$$

$$529 \times 2683 = 473$$

$$559 \times 1573 = 293$$

$$799 \times 1094 = 291$$

$$829 \times 583 = 161$$

$$859 \times 2473 = 708$$

$$2899 \times 1393 = 1346$$

$$2929 \times 883 = 862$$

$$2959 \times 2773 = 2735$$

$$289 \times 1963 = 189$$

$$589 \times 2863 = 562$$

$$889 \times 763 = 226$$

$$2989 \times 1063 = 1059$$

Si ,

$$29 \times 2183 = 21$$

$$59 \times 1073 = 21$$

$$89 \times 2363 = 70$$

$$329 \times 83 = 9$$

$$359 \times 1973 = 236$$

$$389 \times 263 = 34$$

$$629 \times 983 = 206$$

$$659 \times 2873 = 631$$

$$689 \times 1163 = 267$$

$$2729 \times 1283 = 1167$$

$$2759 \times 173 = 159$$

$$2789 \times 1463 = 1360$$

$$119 \times 53 = 2$$

$$149 \times 143 = 7$$

$$179 \times 2633 = 157$$

$$419 \times 953 = 133$$

$$449 \times 1043 = 156$$

$$479 \times 533 = 85$$

$$719 \times 1853 = 444$$

$$749 \times 1943 = 485$$

$$779 \times 1433 = 372$$

$$2819 \times 2153 = 2023$$

$$2849 \times 2243 = 2130$$

$$2879 \times 1733 = 1663$$

$$209 \times 1523 = 106$$

$$239 \times 2813 = 224$$

$$269 \times 503 = 45$$

$$509 \times 2423 = 411$$

$$539 \times 713 = 128$$

$$569 \times 1403 = 266$$

$$809 \times 323 = 87$$

$$839 \times 1613 = 451$$

$$869 \times 2303 = 667$$

$$2909 \times 623 = 604$$

$$2939 \times 1913 = 1874$$

$$2969 \times 2603 = 2576$$

$$299 \times 593 = 59$$

$$599 \times 1493 = 298$$

$$899 \times 2393 = 717$$

$$2999 \times 2693 = 2692$$

Prin gruparea numerelor din partea stanga a inmultirii dupa modelul de mai sus , numerele din partea dreapta a inmultirii au o rata de crestere constanta , permitind determinarea relativ simpla a acestora .

Efectuam testarea primalitatii numarului N , utilizind formula de calcul a pozitiei , dupa cum urmeaza :

Divizibilitatea cu :

3n.007 x 3n.901 F = 2

$$7xn ; 901xn ; 901 + 3.007xn ; 901x2 + 6.007xn ; 901x3 + 9.007xn ;$$

Daca nici un calcul efectuat nu da ca si rezultat numarul pozitiei lui N diminuat cu factorul 2 , numarul studiat nu este divizibil cu multiplii a cite 3.000 a operatiei de inmultire 7×901 .

3n.307 x 3n.3001 F = 307

$$307xn ; 3.001xn ; 3.001 + 3.307xn ; 3.001x2 + 6.307xn ; 3.001x3 + 9.307xn ;$$

Din numarul pozitiei lui N se scade F = 307 si se verifica calculele de mai sus .

$$3n.607 \times 3n.2101 \quad F = 425$$

$$607xn ; 2.101xn ; 2.101 + 3.607xn ; 2.101x2 + 6.607xn ; 2.101x3 + 9.607xn ;$$

$$3n.2707 \times 3n.1801 \quad F = 1.625$$

$$2.707xn ; 1.801xn ; 1.801 + 5.707xn ; 1.801x2 + 8.707xn ; 1.801x3 + 11.707xn ;$$

Procedeul de calcul se aplica tuturor celor 400 de factori , care au terminatia T = 10 , col.1

Daca nici una din operatiile de calcul aferente celor 400 de factori nu dau ca si rezultat pozitia numarului studiat , acest numar este prim .

Pentru exemplul dat se efectueaza urmatoarele calcule de verificare .

Divizibilitatea cu :

$$3n.007 \times 3n.901 \quad F = 2 \quad P - 2 = 359.610$$

$$7 \times 51.372 = 359.604 \quad \text{nu este divizibil cu } 7 \times 3n.901$$

$$901 \times 399 = 359.499 \quad \text{nu este divizibil cu } 901 \times 3n.007$$

$$901 + 3007 \times 119 = 358.734 \quad \text{nu este divizibil cu } 3.007 \times 3n.901$$

$$901 \times 2 + 6007 \times 59 = 356.215 \quad \text{nu este divizibil cu } 6.007 \times 3n.901$$

$$901 \times 3 + 9007 \times 39 = 353.976 \quad \text{nu este divizibil cu } 9.007 \times 3n.901$$

$$901 \times 4 + 12007 \times 29 = 351.807 \quad \text{nu este divizibil cu } 12.007 \times 3n.901$$

$$901 \times 5 + 15007 \times 23 = 349.666 \quad \text{nu este divizibil cu } 15.007 \times 3n.901$$

$$901 \times 6 + 18007 \times 20 = 365.546 \quad \text{nu este divizibil cu } 18.007 \times 3n.901$$

$$901 \times 7 + 21007 \times 16 = 342.419 \quad \text{nu este divizibil cu } 21.007 \times 3n.901$$

$$901 \times 8 + 24007 \times 14 = 343.306 \quad \text{nu este divizibil cu } 24.007 \times 3n.901$$

$$901 \times 9 + 27007 \times 13 = 359.200 \quad \text{nu este divizibil cu } 27.007 \times 3n.901$$

$$901 \times 10 + 30007 \times 11 = 339.087 \quad \text{nu este divizibil cu } 30.007 \times 3n.901$$

$$901 \times 20 + 60007 \times 5 = 318.055 \quad \text{nu este divizibil cu } 60.007 \times 3n.901$$

.....

901x30 + 90007x3 = 297.051 nu este divizibil cu 90.007 x 3n.901

.....

901x40 + 120007x2 = 276.054 nu este divizibil cu 120.000 x 3n.901

.....

901x50 + 150007x2 = 345.064 nu este divizibil cu 150.000 x 3n.901

.....

901x60 + 180007x1 = 234.067 nu este divizibil cu 180.000 x 3n.901

.....

901x92 + 276007 = 358.899 nu este divizibil cu 276.007 x 3n.901

Ultima operatie de calcul posibila .

Testarea numarului N se continua cu :

Divizibilitatea cu 3n.037 x 3n.1711 F = 21

Divizibilitatea cu 3n.067 x 3n.721 F = 16

.....

Divizibilitatea cu 3n.2999 x 3n.2693 F = 2.692 p - 2.692 = 356.920

2.999x119 = 356.881 nu este divizibil cu 2.999 x 3n.2693

2.693x132 = 355.476 nu este divizibil cu 2.693 x 3n.2999

2.693 + 5.999x59 = 356.634 nu este divizibil cu 5.999 x 3n.2693

2.693x2 + 8.999x39 = 356.347 nu este divizibil cu 8.999 x 3n.2693

.....

2.693x10 + 32.999x10 = 356.920 , numar identic cu p - F , deci N este divizibil cu 32.999 .

Procedeul nu efectueaza descompunerea in factori primi a numarului studiat , ci , doar testarea primalitatii acestuia , prin reducerea la minimum a numarului de multiplicari a numerelor impare .