A BRIEF HISTORY OF THE "SMARANDACHE FUNCTION" (III)

by Dr. Constantin Dumitrescu

ADDENDA (III) :
New References concerninig this function (got by the
editorial board after August 1, 1994):

{ See the previous two issues of the journal for the first and
second parts of this article }
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"SMARANDACHE NUMBERS": $S(n)$, for $n = 1, 2, 3, \ldots$, [M0453],

and

"SMARANDACHE QUOTIENTS": for each integer $n > 0$, find the smallest k such that nk is a factorial; [M1669];

and

"SMARANDACHE DOUBLE FACTORIALS": $F(n)$ is the smallest integer such that $F(n)!!$ is divisible by n; [A7922] in the electronic version.